# CHAPTER 102

SEDIMENTATION PROBLEMS AT
OFFSHORE DREDGED CHANNELS

by

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ABSTRACT

Estimating the rate of sediment deposition and annual
maintenance dredging at offshore dredged channels have been two
of the most challenging tasks confronting coastal engineers in
the past 10 to 15 years.  Because of the complexity of the
mechanism of sediment-flow interaction and the lack of available
practical methods for estimating the sediment transport rate
under waves and current action, it is felt that a simple and
rational method is needed for describing sediment behavior at
offshore dredged channels and estimating accretion rates.  It
is hoped that this paper contributes to the answer of this
problem.

The paper describes the mechanism of sediment deposition
and presents a simple method for estimating the rate of annual
maintenance dredging.  The effect of using a submerged breakwater
for relieving the sedimentation problem within the dredged
channel is also presented.

## INTRODUCTION

Along any reach of coastline where navigation works and
other coastal structures exists or are contemplated, patterns
and rates of long-term littoral and offshore sand movement and
expected accretion are vital information for proper engineering,
design and maintenance.  Sediment movement along the breaker
zone and at the offshore area is controlled mainly by the action
of the prevailing waves and currents of these locations.  When
moving sediment loads encounter a partial obstruction such as a
dredged channel, a condition is realized that is conductive to
sediment deposition.  There are at least three basic types of
man-made works at the offshore area which function as sediment
barriers (Figure 1).  These consist of: (a) dredged navigation
channels connecting super-tanker harbors with deep water
offshore and up to 25 meter water depth; (b) dredged offshore
channels for cooling water intakes for nuclear and liquefied
natural gas plants; and (c) dredged offshore areas for open-sea
loading and berthing terminals.  In a recent study, the question

came up concerning the economical feasibility of such offshore
dredging activities and their impact on the overall shoreline
processes operative in the project area.  In order to answer
this question, estimates of the rate of sediment movement and
the expected annual maintenance dredging are necessary
preliminaries.  Unfortunately, there is no proven prediction
method of general validity for quantitative estimates of
onshore-offshore and longshore sediment transport rates, and
designers usually rely on limited field data of questionable
accuracy to formulate some feeling for the problem under
consideration.  Because of the above difficulties and the
fact that more accurate field data are usually expensive and
difficult to get, it is felt that a simplified method is needed
to estimate the rate of sediment movement for water depths of
up to at least 20 meters.

    The approach described here is based on available
theoretical studies[2, 3, 4, 5, 6] and experiences gained with
maintenance dredging at the Suez Canal offshore dredged channel,
located at Port Said Harbor, Egypt[7, 8, 9].  Items considered
are: (a) factors contributing to sedimentation; (b) method of
estimating deposition rate; (c) effect of using a submerged
breakwater for relieving the sedimentation problem, and
(d) optimum design for protection against accretion.

### FACTORS CONTRIBUTING TO SEDIMENTATION

    Consider any section along the offshore part of a dredged
channel shown in Figure 2.  Assume that both the current and wave
climatology in the vicinity of the dredged channel are known.
This could be considered either as (1) an average steady current
characterized by a velocity U, a wave height H, and a wave
period T, or (2) as a known number of storms with a given
duration and direction.  For the first case, the average currents
and wave condition can be used to estimate the annual sediment
effect, whereas for the second case, the effect of each storm
can be evaluated separately and the annual effect can be obtained
by integrating the effects of all expected storms within a given
year.  In either case the basic flow field is the same.  This
flow field (Figure 2-a) may be simplified as:

- Steady current with an average velocity $U_1$ at
  water depth $d_1$.  By continuity, this current
  will have velocity $U_2$ at depth $d_2$.

- Maximum oscillatory current $U_{bed\ max}$ at the
  bed, due to wave action.  This current may be
  expressed by the equation

$$U_{bed\ max} = \frac{\pi H}{T} \frac{1}{\sinh 2\pi\, d_{/L}} \tag{1}$$

where

        H = wave height,
        T = wave period,
        L = wave length at water depth d.

    It is believed that the above flow velocities are the most important factors contributing to sediment movement in the vicinity of the dredged channel and their contribution may be summarized as follows:

    1.  <u>Bed Load ($Q_b$).</u>

    Einstein[5], Kalkanis[3] and Abou-Seida[2], proposed the use of a modified unidirectional bed load function, shown in Figure 3, for estimating the rate of bed load movement under wave action. In order to use Figure 3, one has to calculate flow intensity $\Psi_*$ defined as

$$\Psi_* = \xi \; \frac{\gamma s - \gamma f}{\gamma f} \; \frac{g\,D}{U_a^2} \tag{2}$$

where

    $\xi$ = "hiding factor" for small particles in a sediment mixture and may be assumed unity for uniform grains,
    $\gamma s$ = specific weight of sediment,
    $\gamma f$ = specific weight of water,
    $g$ = acceleration of gravity,
    $D$ = sediment size,
    $U_a$ = wave particle velocity at 0.35 D from the boundary.

References (2), (3) and (5) show $U_a$ is the most difficult factor to calculate in equation (2). Analysis of the data reported by Abou-Seida[2] show that $U_a$ can be approximated by

$$U_a = 0.5 \; U_{bed\ max}. \tag{3}$$

Now with a known value of flow intensity $\Psi_*$, the oscillatory bed load intensity $\phi_*$ can be obtained from Figure 3. The oscillatory bed load rate $q_b$ is given by the equation

$$q_b = \phi_* \; \gamma s \; (\frac{\gamma s - \gamma f}{\gamma f})^{1/2} \; g^{1/2} \; D^{3/2}. \tag{4}$$

The sediment concentration in the bed layer, $C_a$, is given by Abou-Seida[2] as

$$C_a = \frac{q_b}{2D\overline{U}_a} \tag{5}$$

and the bed load rate $Q_b$ is given by

$$Q_b = C_a \, a \, U_c \tag{6}$$

where

$a$ = thickness of the bed layer, assumed in this study as equal to 2 cm,

$U_c$ = local current velocity near the bed and including mass transport velocity due to wave action.

2.  Suspended Load $Q_s$

Theoretically speaking, wave motion, other than the breaking wave effect, lacks the existence of turbulence which is responsible for suspended sediment.  On the other hand, it has been observed that considerable amounts of sediment move in suspension under the combined action of waves and currents[4, 7, 11].  Therefore, it was decided to attack the suspension problem by assuming that the steady current effect, only, is responsible for suspended sediment distribution within any cross section along the dredged channel.

If it is assumed that bed load takes place within a certain layer, the average concentration within this layer can be computed from equation (5).  From this concentration, $C_a$, at height, $a$, above the bed, the concentraction $C_h$ at a hieght, $h$, above the bed can be expressed by the well known relationship (1)

$$\frac{C_h}{C_a} = \left[\frac{(d-h)a}{(d-a)h}\right]^{Z} \tag{7}$$

in which $Z = \frac{V_s}{0.4U_*}$ with $V_s$ = fall velocity of the sediment

grain, $U_*$ = bed shear velocity; and $d$ = the total water depth.

According to Einstein[1], the suspended load $Q_s$ can be written as

$$Q_s = 11.6 \, U_* \, C_a \, a \, [P \, I_1 + I_2] \tag{8}$$

where

$I_1$ and $I_2$ can be obtained from reference 1.

P is determined from $P = 2.3 \frac{h}{h_o}$ in which

$h_o$ = bed roughness.

From equation (8), the suspended sediment load to the updrift side of the dredged channel and inside the channel can be estimated.

## METHOD OF ESTIMATING DEPOSITION RATE

When an offshore channel is dredged, both the flow and sediment patterns, approaching from the updrift side of the channel experience some changes as the flow crosses the dredged channel. This is shown in Figure 2. Consider Figure 2-a where the channel is dredged to depth $d_2$ below mean sea level, and the natural water depth to the updrift side of the channel is $d_1$. Flow approaching the channel has a certain sediment load capacity which could be estimated using equations (6) and (8). As the flow approaches the dredged channel, two main mechanisms will take place:

- The dredged channel will act as a sand trap along most of its length and consequently most of the bed load $Q_b$ approaching the channel will deposit within the channel.

- The suspended load, $Q_s$, on the updrift side of the channel will reduce to $Q_{s_2}$ across the channel. This reduction is caused by a decrease in the steady flow velocity within the dredged channel.

These considerations permit calculation of the rate of sediment deposition per channel unit width, $Q_d$, according to the following equation

$$Q_d = Q_{s_1} - Q_{s_2} + Q_b \qquad (9)$$

where

$Q_{s_1}$ = rate of suspended load reaching the channel/ unit width,

$Q_{s_2}$ = rate of suspended load across the channel/ unit width,

$Q_b$ = rate of bed load reaching the channel/unit width.

Equation (9) can be used for various natural water depths, $d_1$, along the channel thus permitting calculation of the total deposition rate along the channel.

As an example consider a dredged channel depth of 20 meters with a natural water depth of 10 meters. The annual rate of sediment deposition, $Q_d$, is estimated under the following assumed conditions:

    average wave height (H)          = 2.00 meters;
    average wave period T            = 8     seconds;
    average bed material grain size D = 0.10 mm.

Results of the computations are summarized in Table 1.

TABLE 1

Example of Estimating Sediment
Deposition Along a Dredged Channel Section

| Item | Sediment Rate $m^3$/m/Year |
|------|---------------------------|
| $Q_b$ | 340 |
| $Q_{s_1}$ | 1700 |
| $Q_{total} = Q_b + Q_{s_1}$ | 2040 |
| $Q_{s_2}$ | 940 |
| $Q_{deposition}$ | 1100 |

SUBMERGED BREAKWATER EFFECT

Submerged breakwaters have been used successfully for relieving and reducing the sediment deposition along offshore dredged channels. An example is the Suez Canal navigation channel which extends from the Port Said Harbor to natural water depth of about 15 meters. (The Suez Canal Authority is presently deepening the navigation channel to accommodate ships with drafts up to 22 m). Table 2 summarizes the annual maintenance dredging conditions along the offshore navigation channel during the period 1901 to 1966[7, 8].

TABLE 2

Variation of Annual Maintenance Dredging
Along the Suez Canal Navigation Channel
(Port-Said Harbor) During the Period 1901-1966

| Period (Years) | Average Depth of Navigation Channel (m) | Mean Annual Dredging (million m³) | Type of Protection Against Accretion (Updrift Side) |
|---|---|---|---|
| 1901-1906 | 9.5 | 0.65 | Full breakwater to water depth of 7.00 meters |
| 1911-1916 | 11.50 | 2.25 | Full breakwater to water depth of 9.00 meters |
| 1917-1920 | 12.00 | 0.35 | Partial construction |
| 1921-1923 | 12.00 | 1.25 | of a submerged breakwater about 4 meters high |
| 1939-1945 | 12.00 | 0.600 | Submerged breakwater to water depth of 11.5 meters and about 4 meters high above bottom |
| 1951-1955 | 13.00 | 1.4 | Submerged breakwater |
| 1961-1966 | 14.00 | 2.4 | to water depth of 11.5 meters |

        Table 2 shows that: (1) increasing the depth of the
navigation channel causes an increase in the annual maintenance
dredging; and (2) construction of the submerged breakwater
has considerable effect on reducing the annual maintenance
dredging.

   EFFECT OF SUBMERGED BREAKWATERS ON SEDIMENT AND FLOW PATTERN

        Consider a submerged breakwater with average height h
above the bed and located to the updrift side of the dredged
channel (Figure 5).  The use of such a breakwater would have the
following principal effects on the sediment and flow conditions
in the vicinity of the dredged channel:

- The submerged breakwater could cause the bed load to either go around it or settle to the updrift side of the breakwater.

- Portion of the suspended sediment load of relatively high concentration near the bed would also be partially prevented from reaching the dredged channel.

- The submerged breakwater will generate a longitudinal current along its entire length which will transport sediment in the offshore direction away from the dredged channel.

Quantitative analysis of the effect of submerged breakwaters in relieving the sedimentation problem along the dredged channel is rather difficult.  It is believed that a reasonable answer to this problem is given by the rational method developed below.

1.   Submerged Breakwater Efficiency $\eta$.

Consider a submerged breakwater with variable relative heights $\frac{h}{d}$, where h is the breakwater height above the natural bed and d is the water depth as shown in Figure 5.  For any breakwater relative height $\frac{h}{d}$ the breakwater's sediment trapping efficiency, $\eta$, may be defined by the equation

$$\eta = \frac{Q_t(h/d)}{Q_d(h/d=0)} \tag{10}$$

where

$$Q_t(h/d) = \text{rate of sediment trapped by the breakwater for any relative height } h/d,$$
$$Q_d(h/d=0) = \text{rate of channel deposition without the breakwater.}$$

2.   Sediment Risk Factor "R"

Figure 4 shows the definition of the sediment risk factor R.  The physical meaning of R may be explained as follows:

(a)   For $h/d = 0$; $R = 1$ and the expected annual dredging to maintain the dredged channel is equal to the annual rate of sediment deposition $Q_d$.

(b)    For h/d = 1; R = 0 and expected annual
       dredging = 0.

(c)    For h/d = any ratio, the expected annual
       dredging can be approximated by the equation

$$Q_{dredging} = Q_d \times R \qquad (11)$$

where

$Q_{dredging}$ = annual maintenance dredging; and

$Q_d$ = annual rate of channel deposition for h/d = 0.

Using the definition of R as shown in Figure 5, i.e.,

$$R = \frac{\int_a^h [\frac{(d-h)a}{(d-a)h}]^{\frac{V_s}{0.4} U_*} dh}{\int_a^d [\frac{(d-h)a}{(d-a)h}]^{\frac{V_s}{0.4} U_*} dh} \qquad (12)$$

and considering sediment particle grain size range from 0.075 mm to 0.2 mm and average steady flow velocities between 0.2 m/sec and 1.00 m/sec, the average values of the risk factor R for various h/d ratios are shown in Table 3.

TABLE 3

Average Values by Risk Factor R

| Breakwater Relative Height h/d | Average Value of R |
|---|---|
| 0 | 1 |
| 0.2 | 0.36 |
| 0.3 | 0.25 |
| 0.5 | 0.125 |
| 1.00 | 0 |

Using the sediment risk factors obtained in Table 3 as a reduction in the deposition rate for h/d = o case, and equation (11), the annual rate of deposition for various breakwater relative height can be estimated. The breakwater sediment trapping efficiency, η, can be computed from equation (10).

Using the results of the example given in Table 1, the submerged breakwater efficiency and the estimated annual maintenance dredging is given in Table 4.

TABLE 4

Effect of h/d on % Annual Dredging and
Breakwater Efficiency η

| h/d | R | $Q_d$ $m^3$/year | $Q_t$ $m^3$/year | η % | % Annual Dredging w.r.t. h/d = 0 |
|------|-------|------|------|-----|------|
| 0 | 1 | 1100 | 0 | 0 | 100 |
| 0.2 | 0.36 | 400 | 700 | 64 | 36 |
| 0.3 | 0.25 | 275 | 825 | 75 | 25 |
| 0.5 | 0.125 | 140 | 960 | 87 | 13 |
| 1.00 | 0 | 0 | 1100 | 100 | 0 |

It can be observed from Table 4, that submerged breakwaters with relative heights, h/d, between 0.3 and 0.5 would have greater effect in reducing sedimentation problems inside the dredged channel. Figure 5 shows the relationship between h/d and percent annual dredging needed to maintain the dredged channel. The annual dredging is plotted as: (a) percentage of the total sediment load ($Q = Q_s + Q_b$) estimated to the updrift side of the breakwater, and (b) percentage of the expected channel deposition rate without the use of a submerged breakwater ($\frac{h}{d} = 0$).

Examination of the data reported in Table 2 shows that the annual maintenance dredging for the Suez Canal navigation channel (Port Said Harbor) reached 2.25 million $m^3$/year during the period 1911-1916. A submerged breakwater ($\frac{h}{d} \approx 0.4$) was constructed and completed during the period 1939-1945. After the submerged breakwater was completed, annual maintenance dredging reduced to 0.6 million m3/year which is

about 25% of the annual dredging without the submerged break-
water.  To the writer's knowledge, this is the only field data
available on the submerged breakwater effect which could be
used to check the theoretical curve shown in Figure 5.

### OPTIMUM DESIGN FOR OFFSHORE DREDGED
### CHANNEL AND PRACTICAL APPLICATION

        The results of studies reported in this paper are useful
for feasibility and economical evaluation of offshore dredging
projects.  In practice the following steps are suggested:

Step 1.    Collect field data on waves and current
           climatology, and bed material characteristics.

Step 2.    For the proposed dredged channel geometry,
           estimate annual rate of deposition (which is
           equivalent to the expected rate of annual
           maintenance dredging).  This can be obtained
           from equation (9).

Step 3.    Estimate the average annual cost of dredging
           the dredged channel without the use of any
           breakwater protection.

Step 4.    Consider submerged breakwater protection
           schemes with various $\frac{h}{d}$ ratios.  For each $\frac{h}{d}$,
           estimate average annual cost for:

           ● Breakwater construction.

           ● Expected annual maintenance dredging.
             The rate of maintenance dredging can be
             obtained from Figure 5.

           ● Estimate average maintenance cost for
             the breakwater.  It should be noted
             that submerged breakwater does not need
             frequent maintenance as compared with
             full breakwater.

Step 5.    Form step 4, get the average annual cost for
           various submerged breakwater schemes and
           plot the data as shown in Figure 6.

Step 6:    From a plotting similar to that shown in
           Figure 6, one can usually find a design
           scheme which will minimize the average annual
           cost.  This scheme will give the most
           economical design.

## SUMMARY AND CONCLUSIONS

A rational method is presented to estimate annual maintenance dredging along offshore dredged channels. The method is based on available theoretical studies on the subject of mechanism of sediment transport under wave and current action.

The effect of protecting the dredged channel against accretion is discussed. Efficiency of using submerged breakwaters with various relative height for relieving the sediment deposition rate are analyzed; breakwaters with relative height 0.3 to 0.5 were found to have high efficiency in reducing sediment deposition within the dredged channel.

REFERENCES

(1)     Einstein, H. A., "Bed Load Function for Sediment
        Transportation in Open Channel Flows," U.S. Department
        of Agriculture, Tech. Bulletin No. 1026, 1950.

(2)     Abou-Seida, M. M., "Bed Load Function Due to Wave Action,"
        University of California Wave Research Laboratory -
        H.E.L 2-11, January, 1965.

(3)     Kalkanis, G., "Transportation of Bed Material Due to Wave
        Action," Technical Memo 2, U.S. Army Coastal Engineering
        Research Center, February, 1964.

(4)     Horikawa and others, "Suspended Sediment Due to Wave
        Action," Coastal Engineering Conference, 1963, page 168.

(5)     Einstein, H. A., "Sediment Transport by Wave Action,"
        13th Coastal Engineering Conference, July, 1972,
        Vancouver, B.C., Canada.

(6)     Beach Erosion Board, "Turbulent Flow Near an Oscillatory
        Wall," Technical Memo No. 97, July, 1957.

(7)     Kadib, A. A. "Sediment Motion at Port Said Harbor and
        Shoaling Problems at the Offshore Navigation Channel,"
        Suez Canal Authority Research Center, Technical Report
        No. 48, October, 1970.

(8)     Hilaly Nabil, A., "Port Said Horbour and the New Project
        for the Suez Canal," Suez Canal Authority Research Center,
        Technical Report No. 41, January, 1969.

(9)     Commission Consultative Internationale for Suez Canal,
        1946 Metting Report, Suez Canal Authirty, Egypt.

(10)    Kadib, A. A., "Rate of Littoral Drift Using Fluorescent
        Tracer," 13th Conference on Coastal Engineering, Canada,
        July, 1972.

(11)    Cole, C. V. and Vaidyaraman, P. P., "Deepening the
        Approach Channel to the Port of Cochin," 13 Congress of
        the I.A.H.R., Proc. Vol. 3, 1969, page 233.

(12)    King, C. A. M., "Depth of Disturbance of Sand on Sea
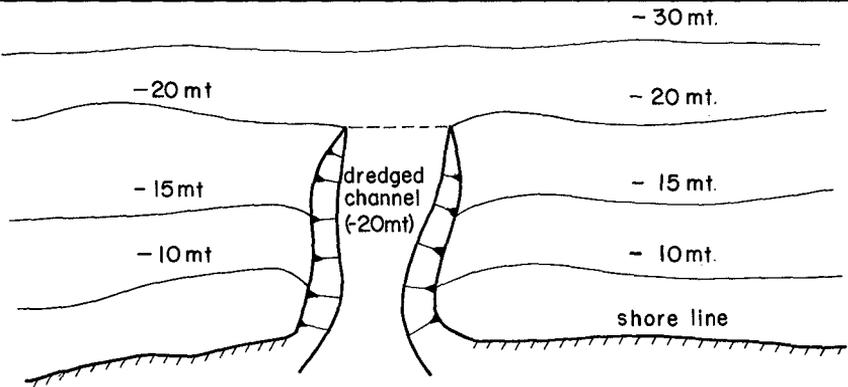        Beaches by Waves," Jour Sed. Pet., Vol. 21, 1951.

− 30 mt.

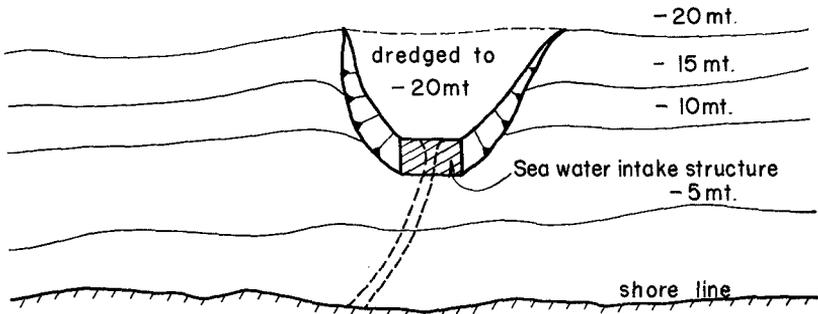−20 mt                                − 20 mt.

− 15mt          dredged                − 15 mt.
                channel
                (−20mt)

− 10 mt         (−20mt)                − 10mt.

                                       shore line

Fig. 1-a        DREDGED NAVIGATION CHANNEL

                                                −20 mt.

                        dredged to              − 15 mt.
                        − 20mt
                                                − 10mt.

                                       Sea water intake structure
                                                − 5 mt.

                                       shore line

Fig. 1-b   OFFSHORE DREDGING FOR COOLING WATER INTAKES

                dredged  area to  −25mt          − 25 mt.

                        TANKER                   − 15 mt.

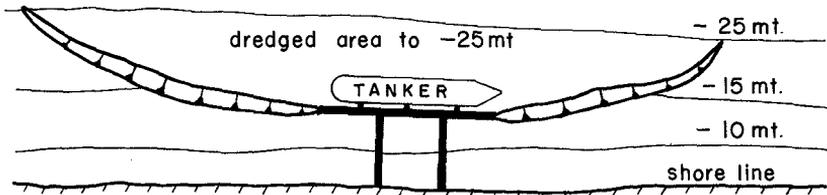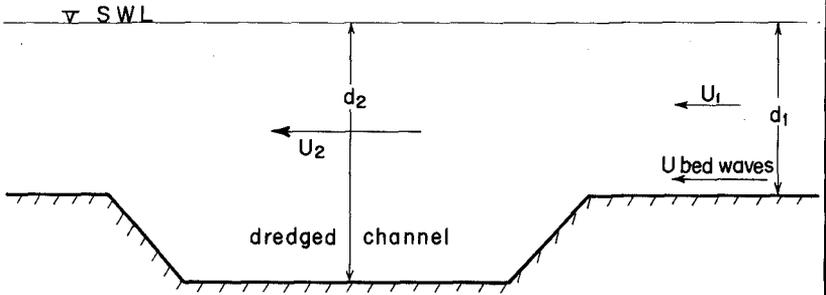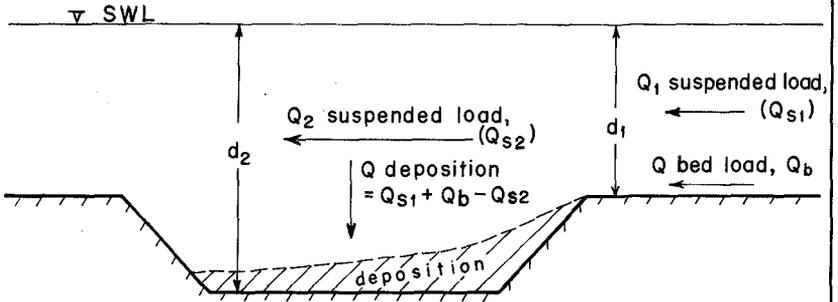                                                 − 10 mt.

                                       shore line

Fig. 1-c   DREDGING FOR OFFSHORE LOADING OF SUPER TANKERS
      Fig. 1 EXAMPLES OF OFFSHORE DREDGING

▽ SWL

$d_2$

$U_2$

$U_1$

$d_1$

U bed waves

dredged channel

a. FLOW VELOCITIES CONTRIBUTING TO SEDIMENT MOVEMENT

▽ SWL

$d_2$

$d_1$

$Q_2$ suspended load, $(Q_{S2})$

$Q_1$ suspended load, $(Q_{S1})$

Q deposition = $Q_{S1} + Q_b - Q_{S2}$

Q bed load, $Q_b$

deposition

b. SEDIMENT PATTERN ACROSS THE DREDGED CHANNEL

Fig. 2 MAIN FACTORS CONTRIBUTING TO SEDIMENT DEPOSITION
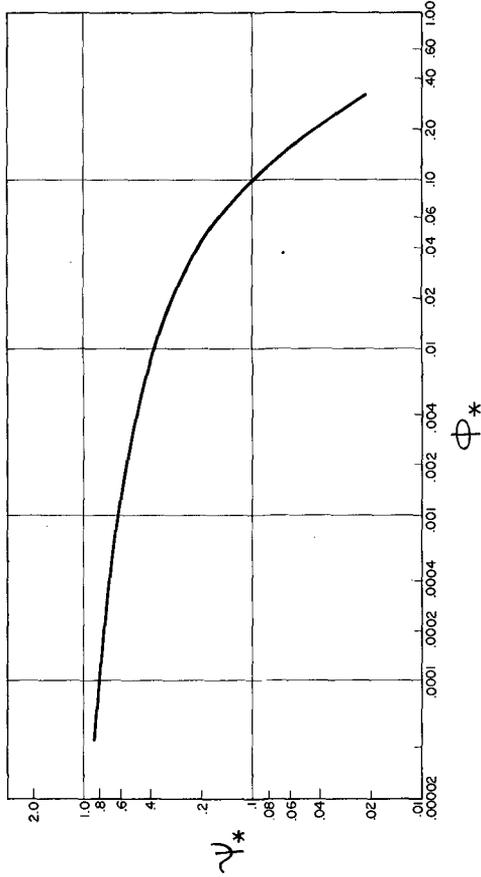
Fig. 3 GRAPHICAL REPRESENTATION OF THE BED LOAD EQUATION, CURVE

(after Kalkanis and Abo Saida)

relative distribution of suspended load

$$\frac{C_h}{C_a} = \left[\frac{(d-h)\,a}{(d-a)\,h}\right]^{\frac{V_s}{0.4\ U*}}$$
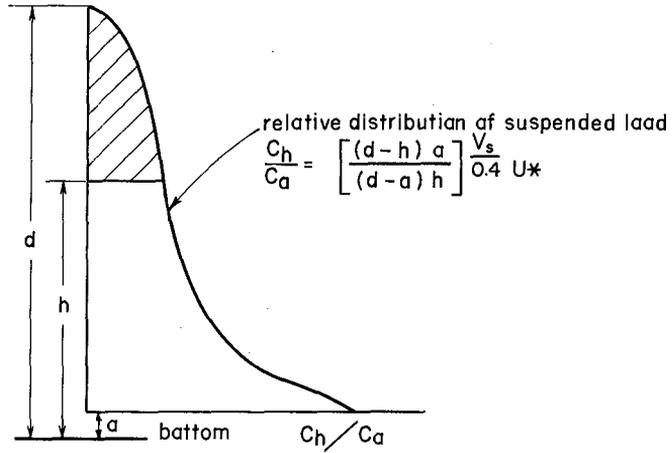
Risk factor R = $\dfrac{\text{Suspended sediment above height } h}{\text{Total suspended sediment available}}$
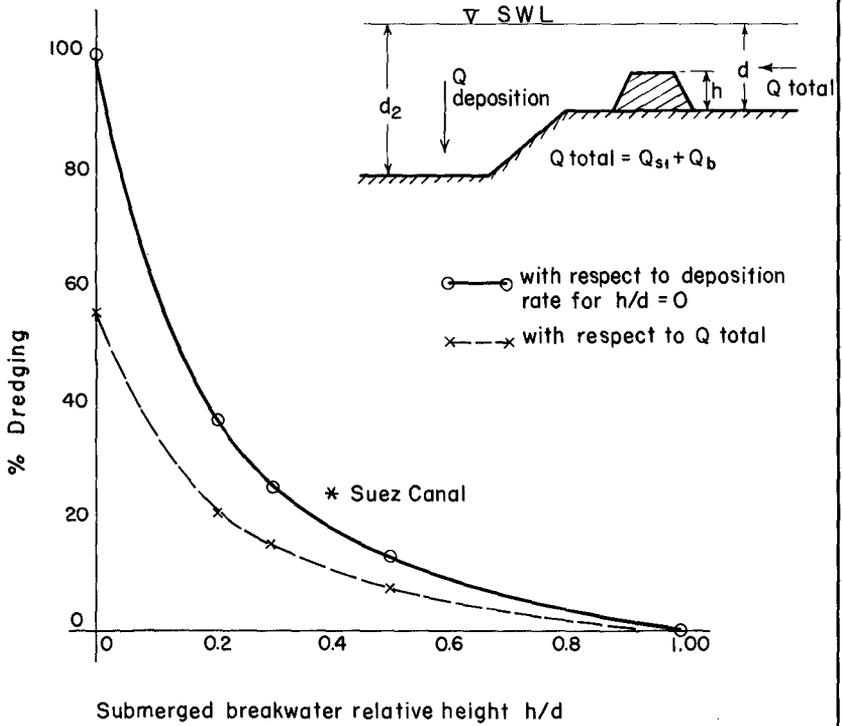
Fig. 4   DEFINITION OF THE RISK FACTOR  R

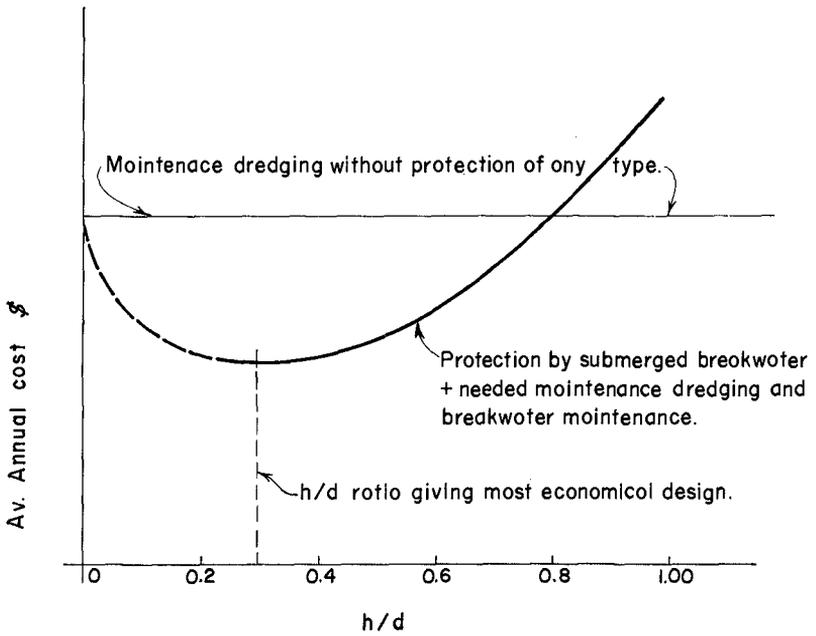Fig.5 EFFECT OF SUBMERGED BREAKWATER RELATIVE
HEIGHT ON MAINTENANCE DREDGING

Fig. 6  OPTIMUM ANALYSIS FOR THE MOST ECONOMICAL DESIGN