

Barrier Island Groundwater Dynamics

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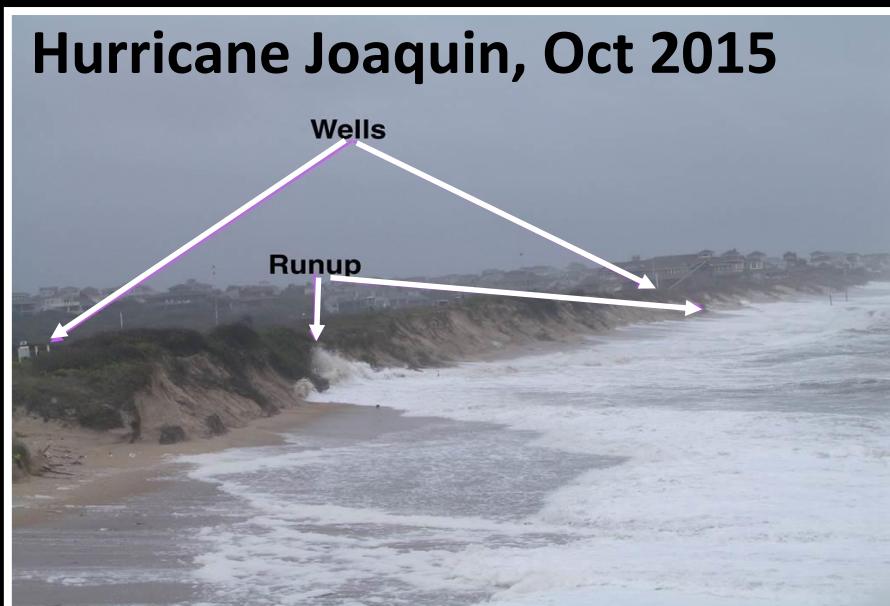
Woods Hole Oceanographic Institution

Heidi Wadman, Jesse McNinch, Kate Brodie

U.S. Army Engineer Research & Development Center



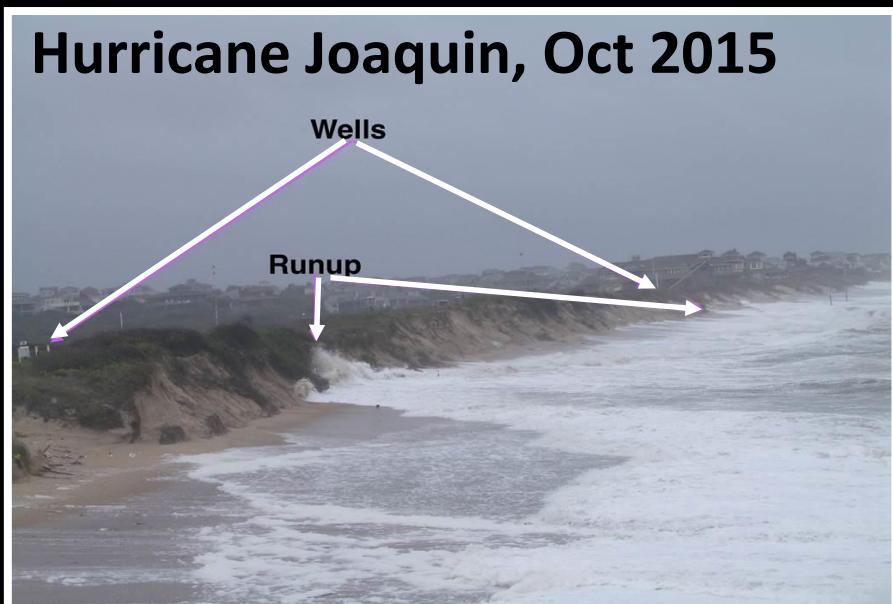
Hurricane Joaquin, Oct 2015



Hurricane Matthew, Oct 2016



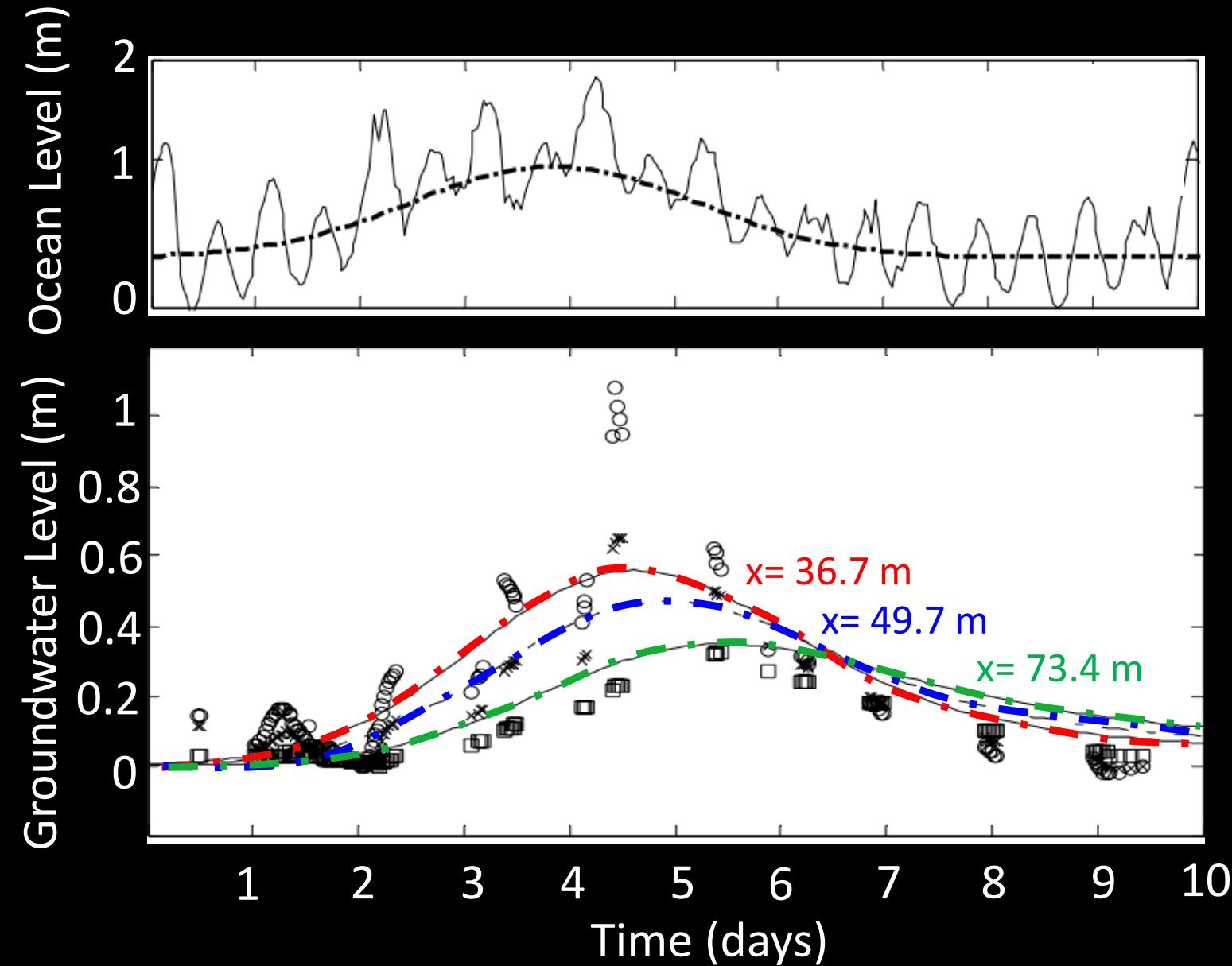
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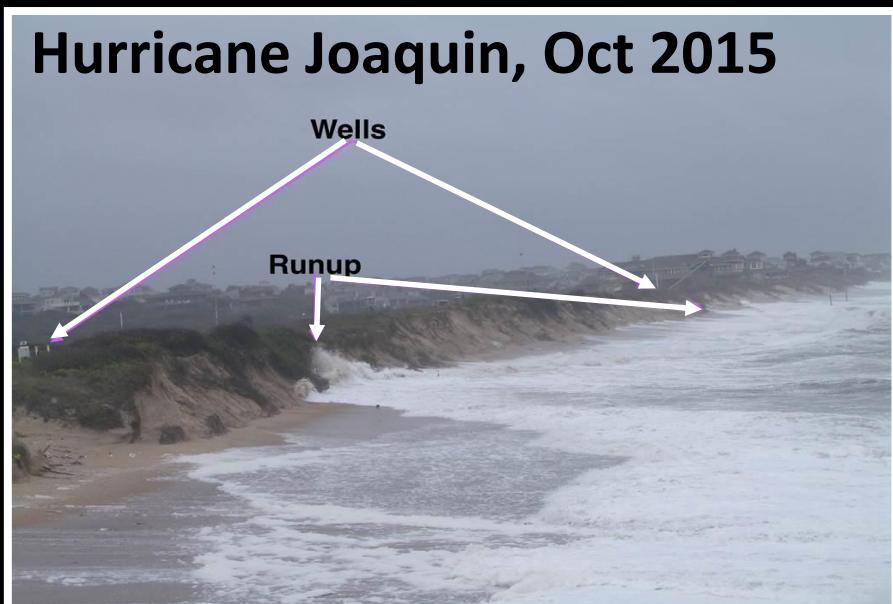
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Groundwater level affected by tide, surge, & wave setup



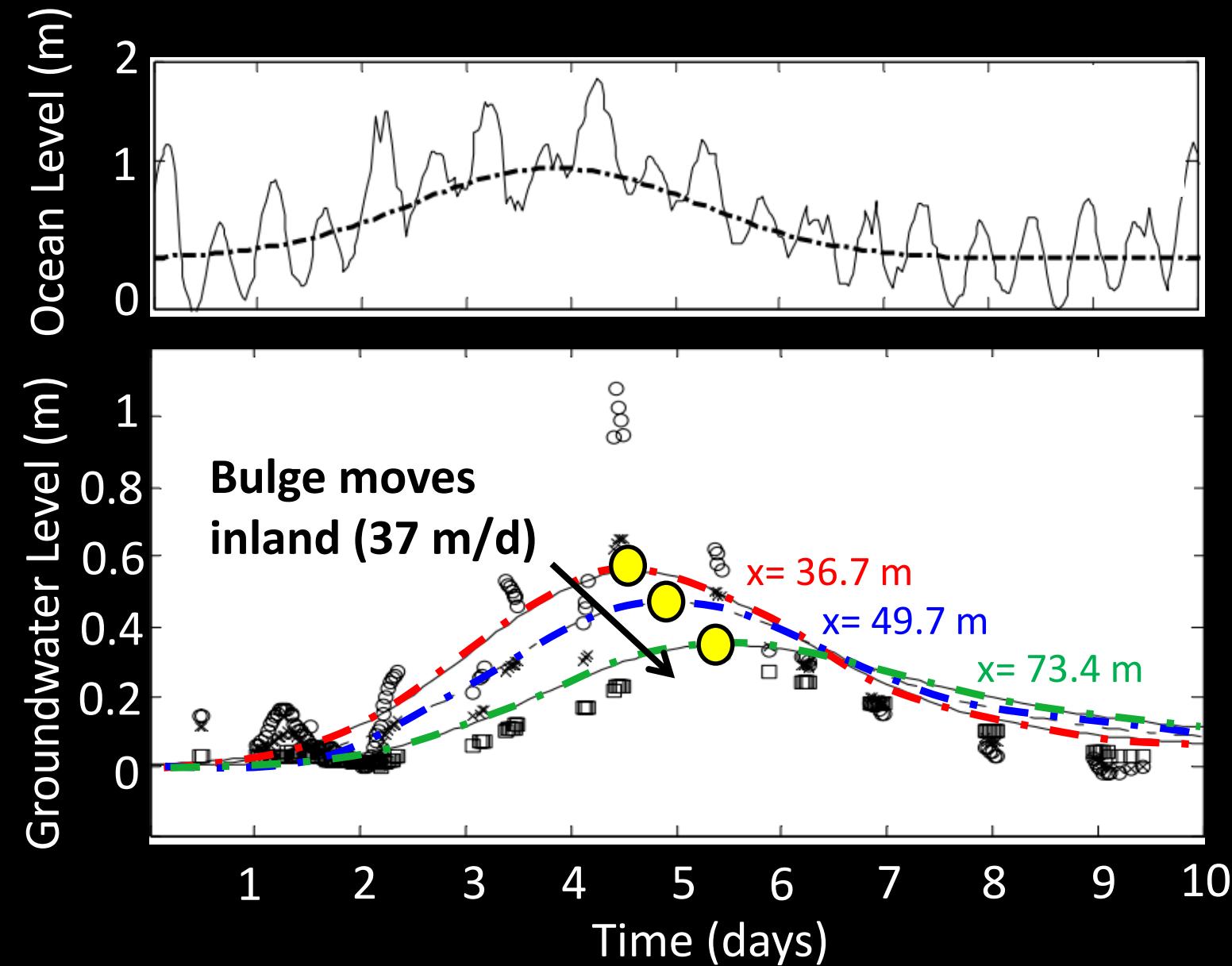
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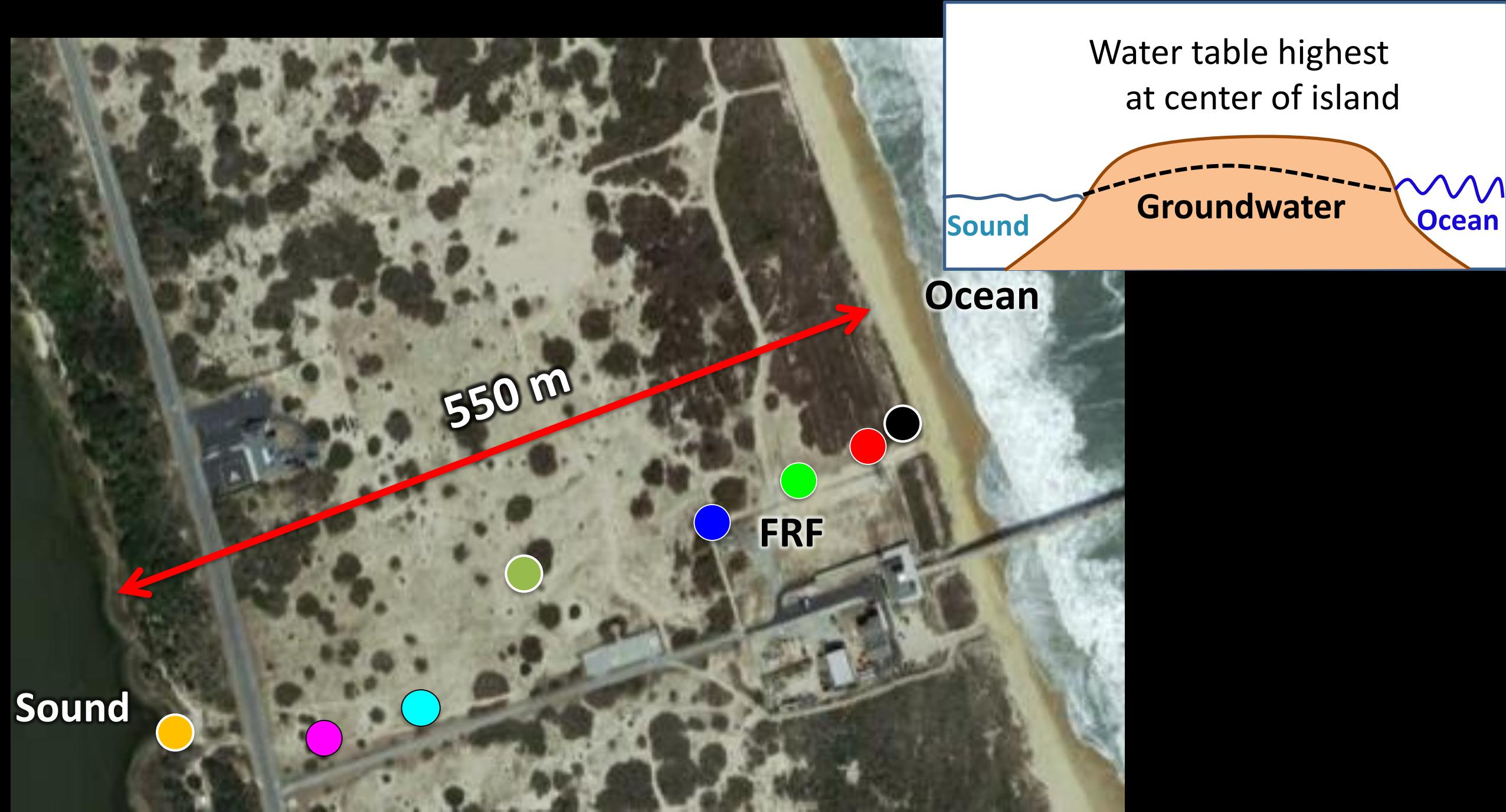
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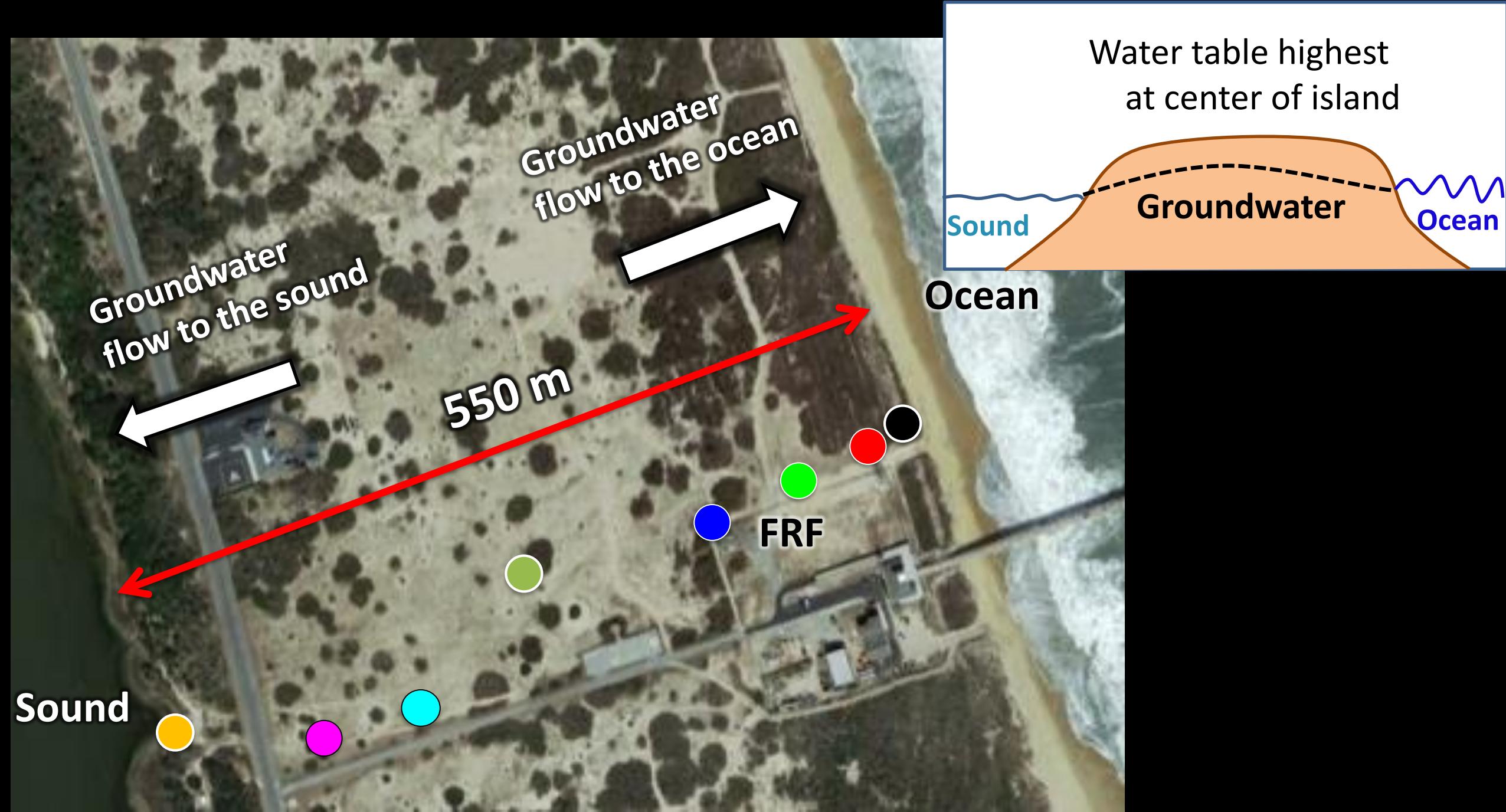


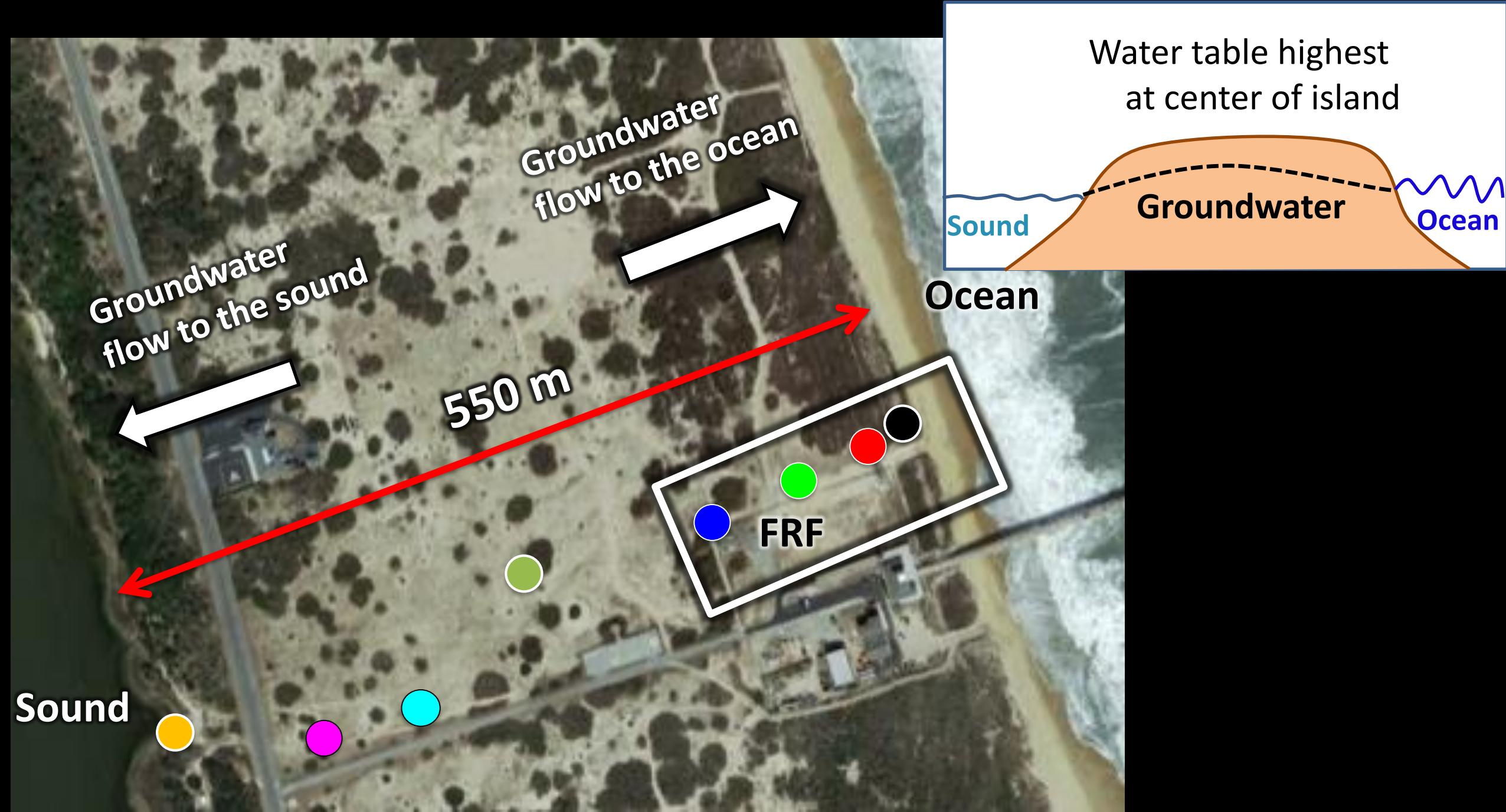


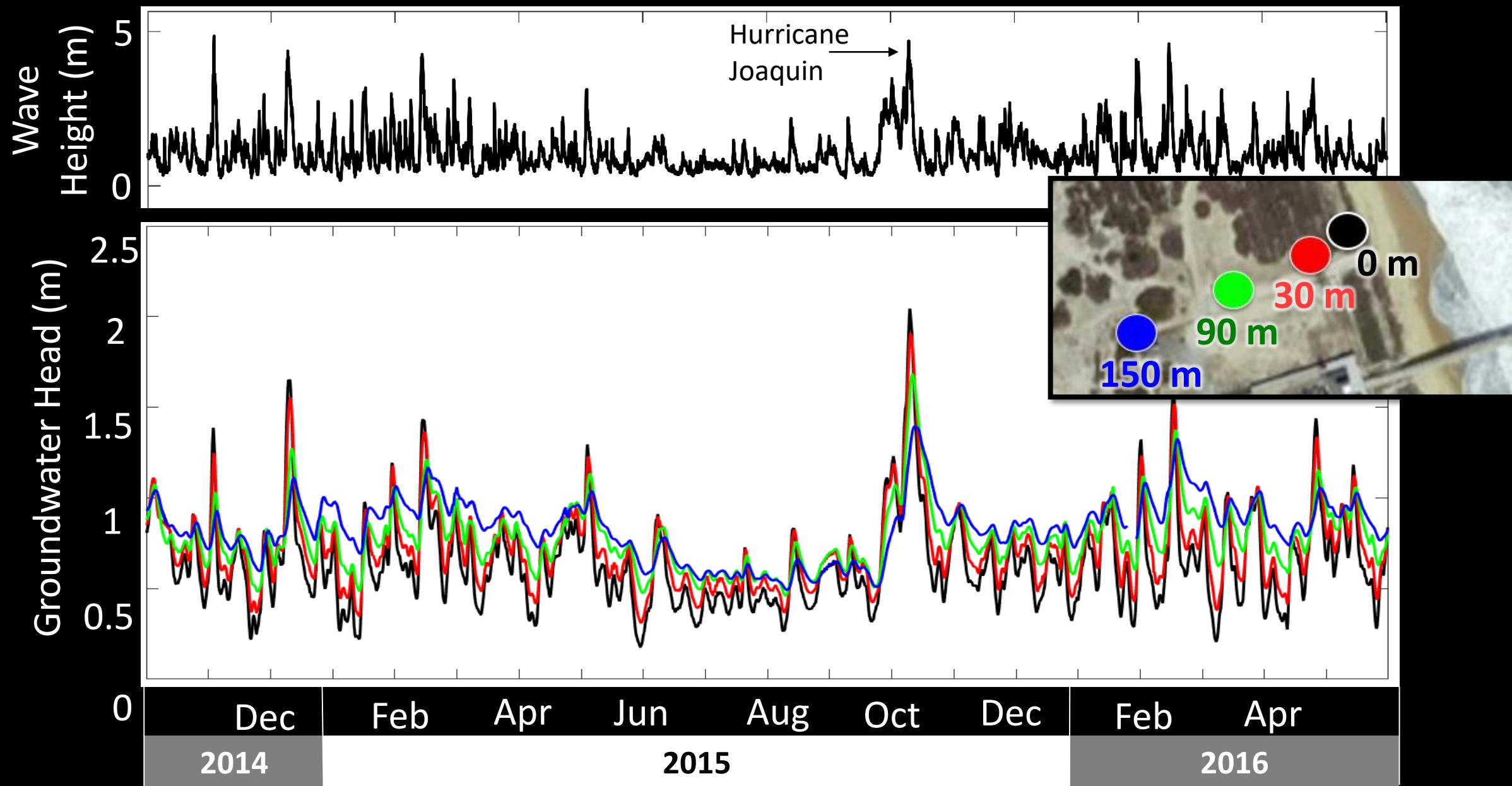


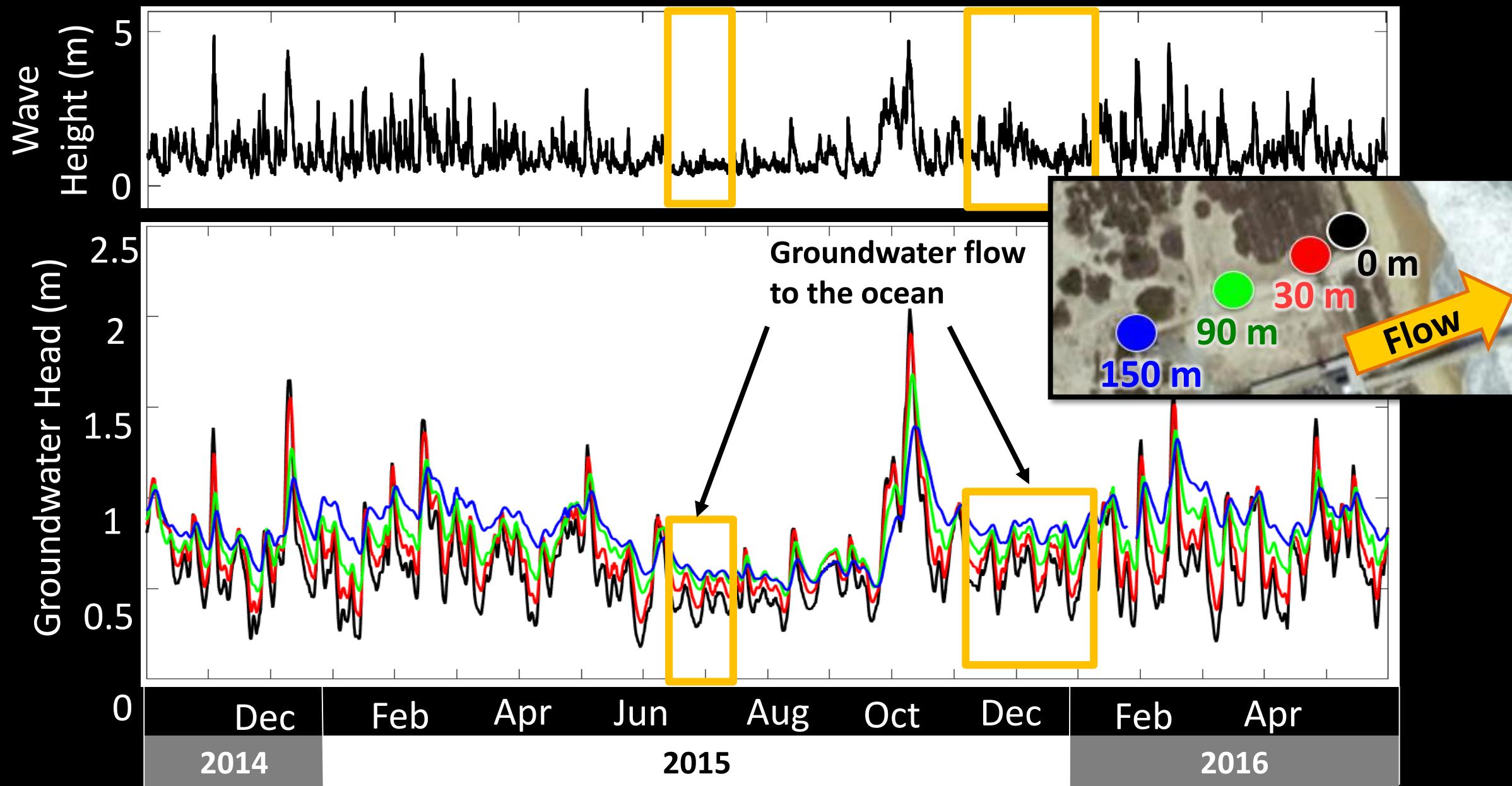
- Conductivity
- Temperature
- Pressure
- Recorded at 10 minute intervals

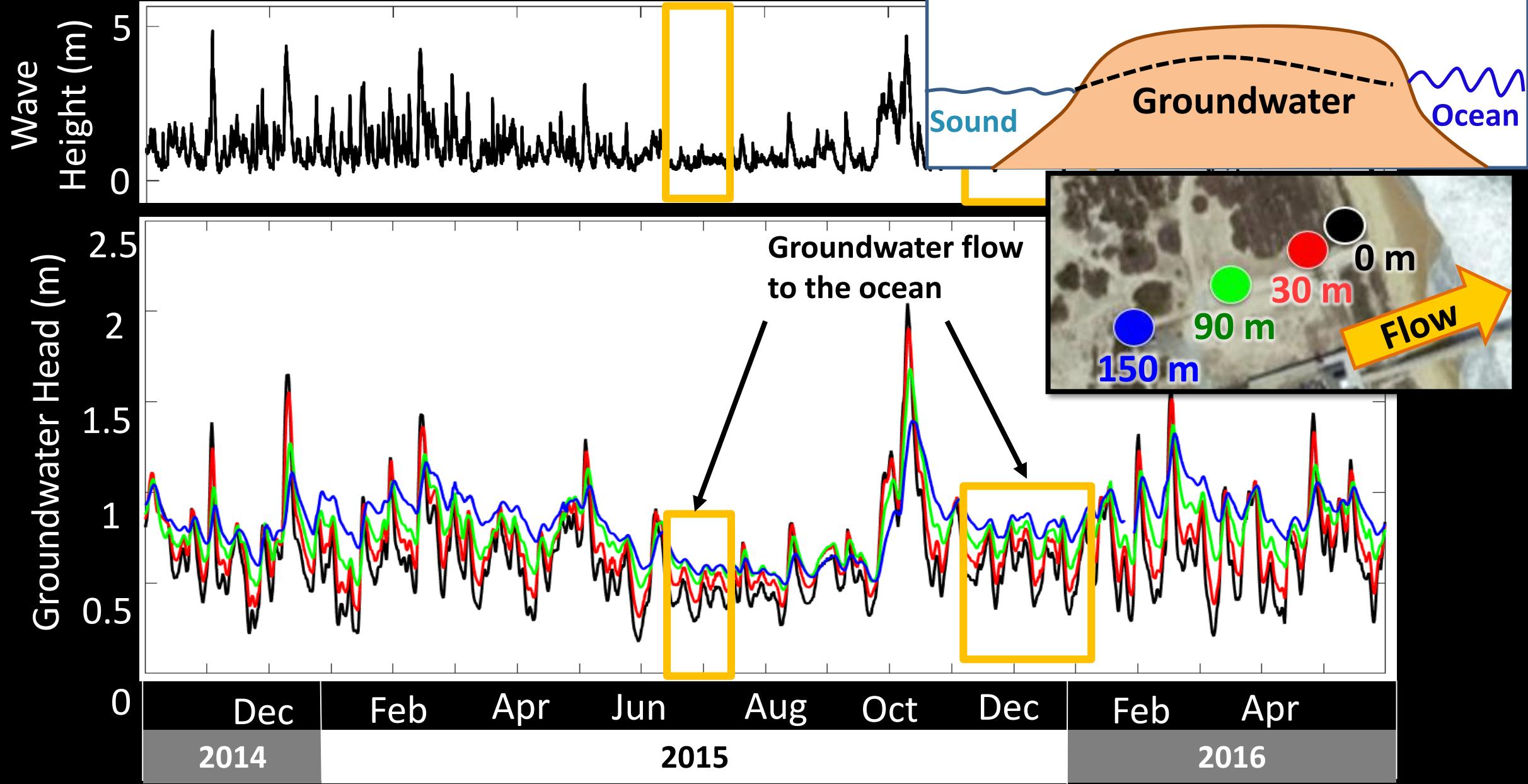


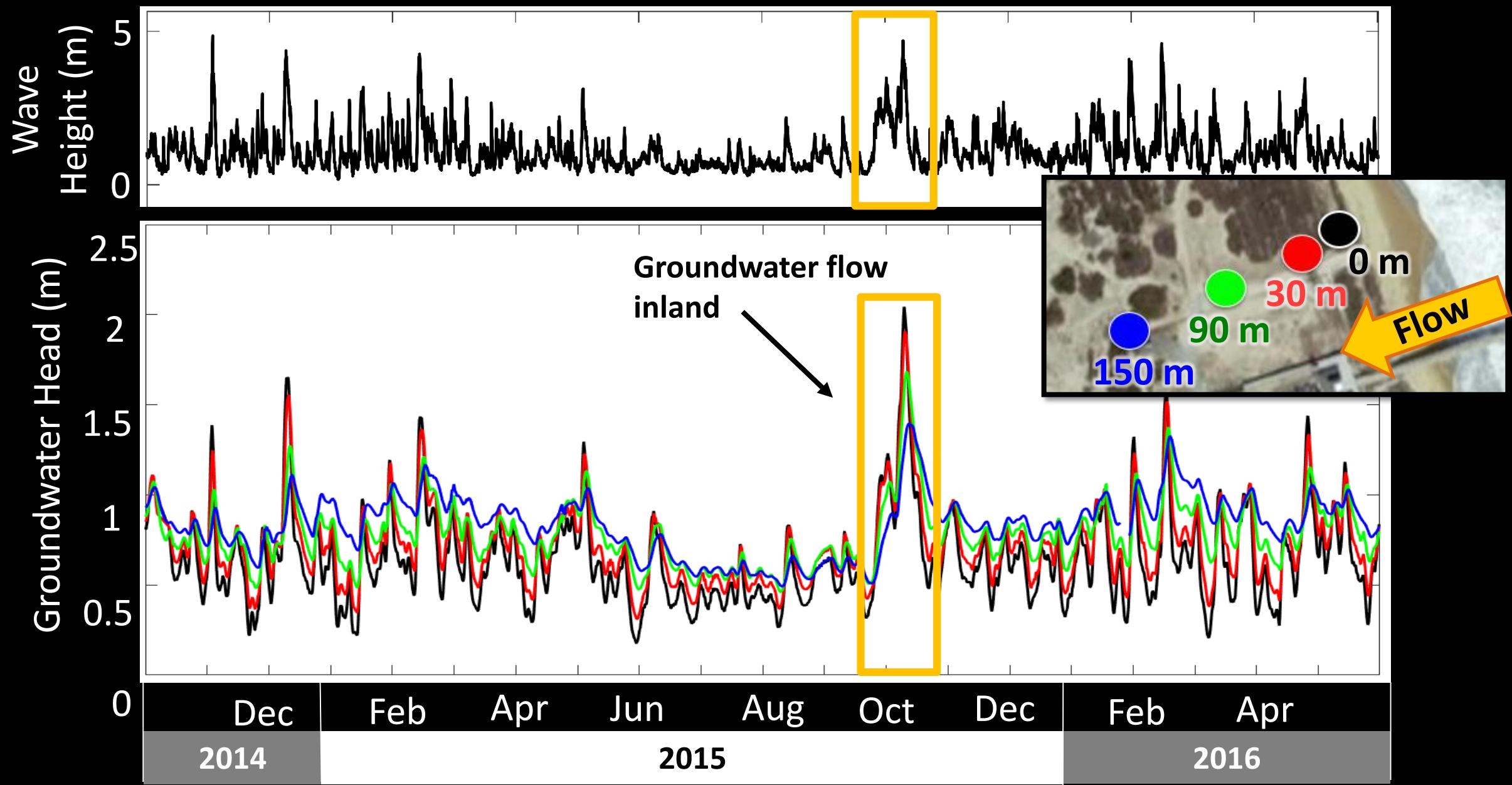


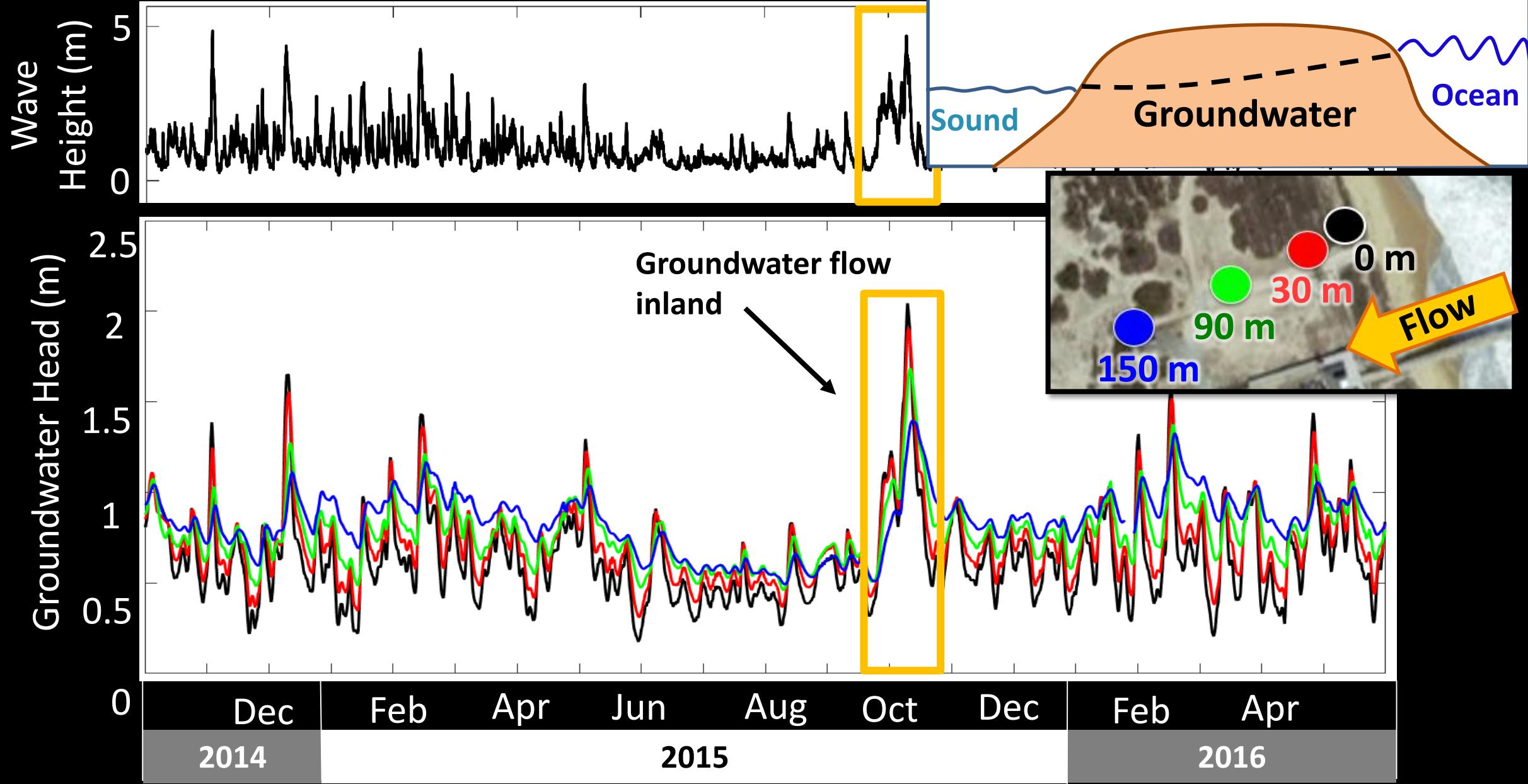




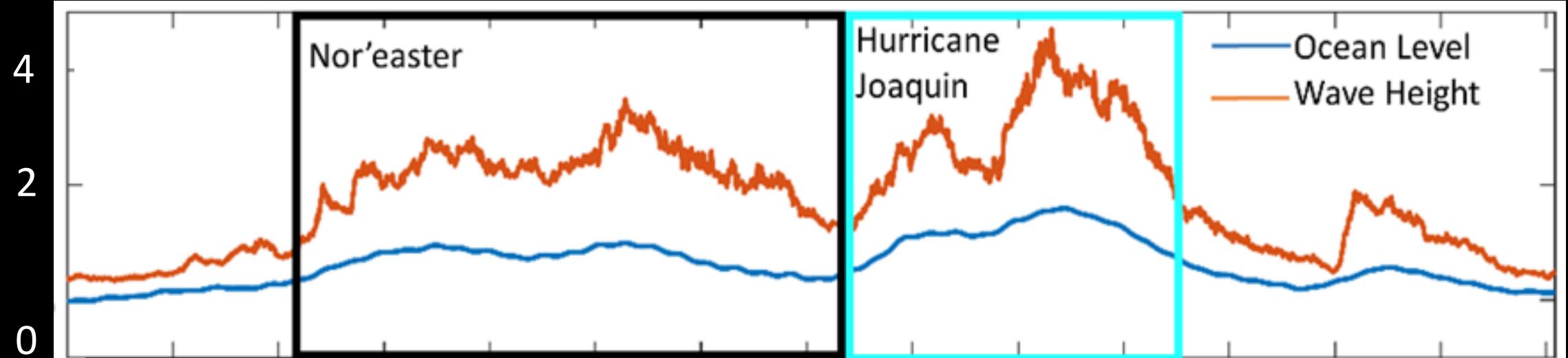




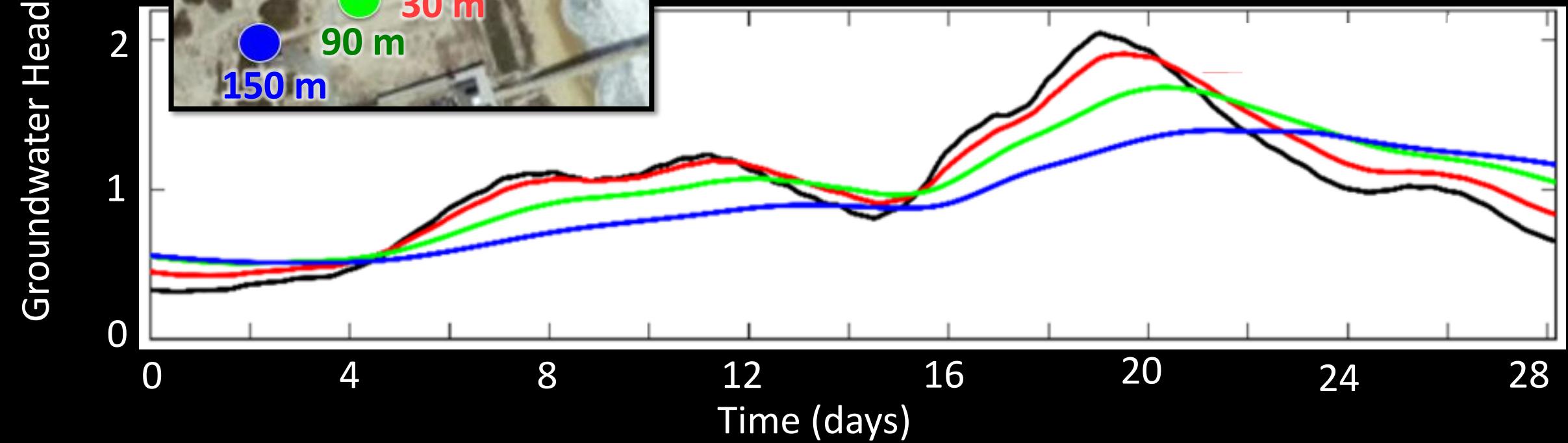


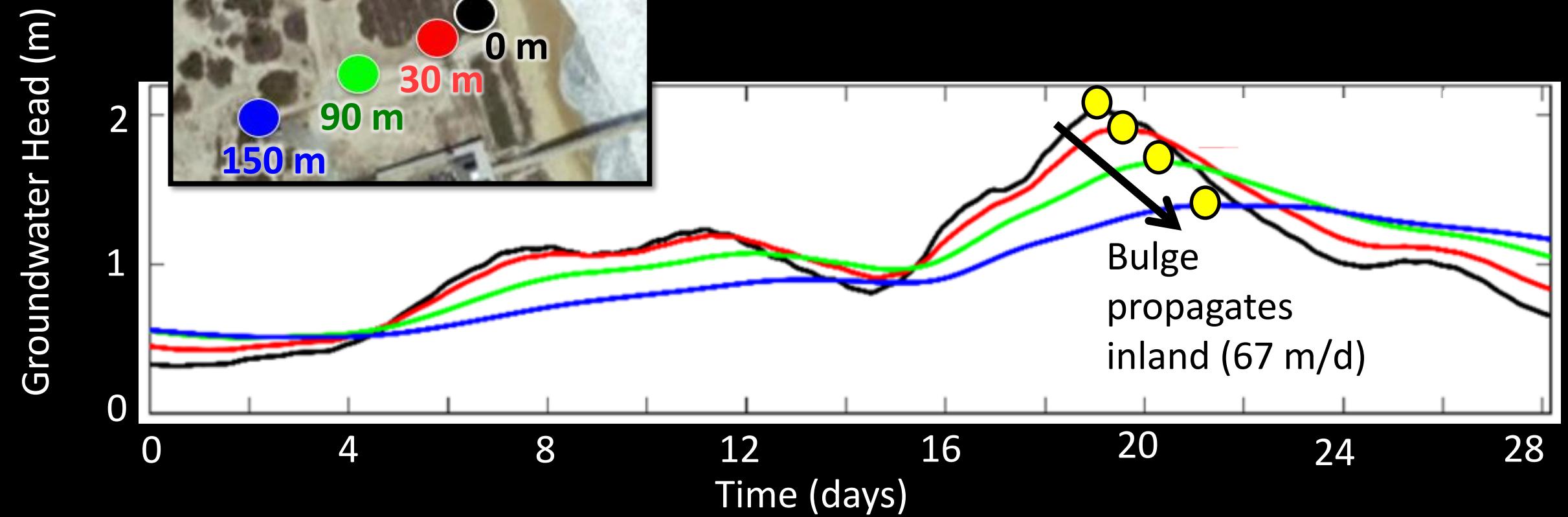
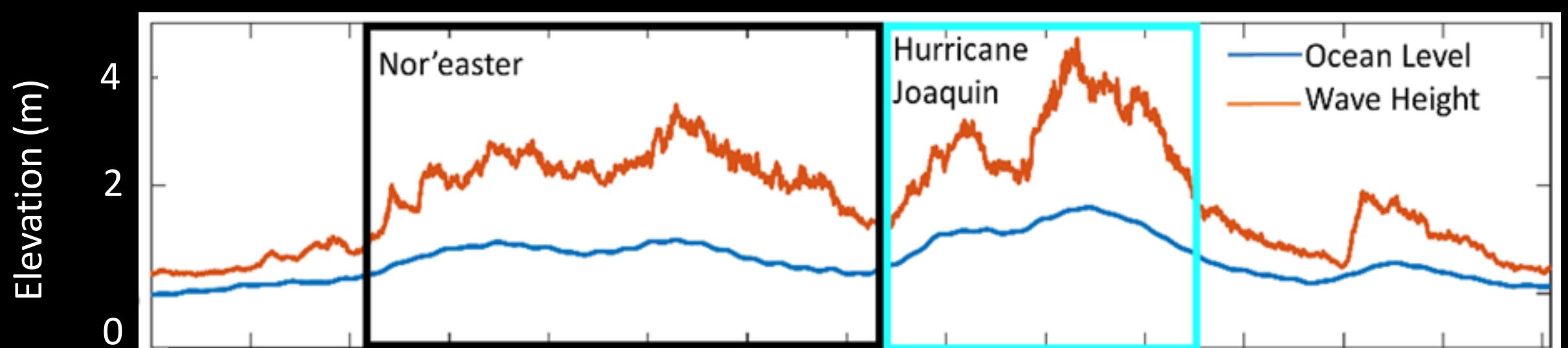


Elevation (m)



Groundwater Head (m)





Analytical Theory

Li et al. 2004

$$h(x, t) = \int_{-\infty}^t \frac{dh_0}{d\tau} \text{erfc} \left[\frac{x}{2\sqrt{D(t - \tau)}} \right] d\tau$$

Assumptions

Pulse evolution

- Homogeneous and isotropic
- Shallow aquifer
- Vertical Beach
- Small Amplitude
($A \ll$ aquifer depth)
- Negligible capillary fringe

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Hydraulic conductivity

$$D = \frac{K \cdot Z}{S}$$

Aquifer depth
Specific yield

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Shoreline amplitude Time factor
Time of peak water level
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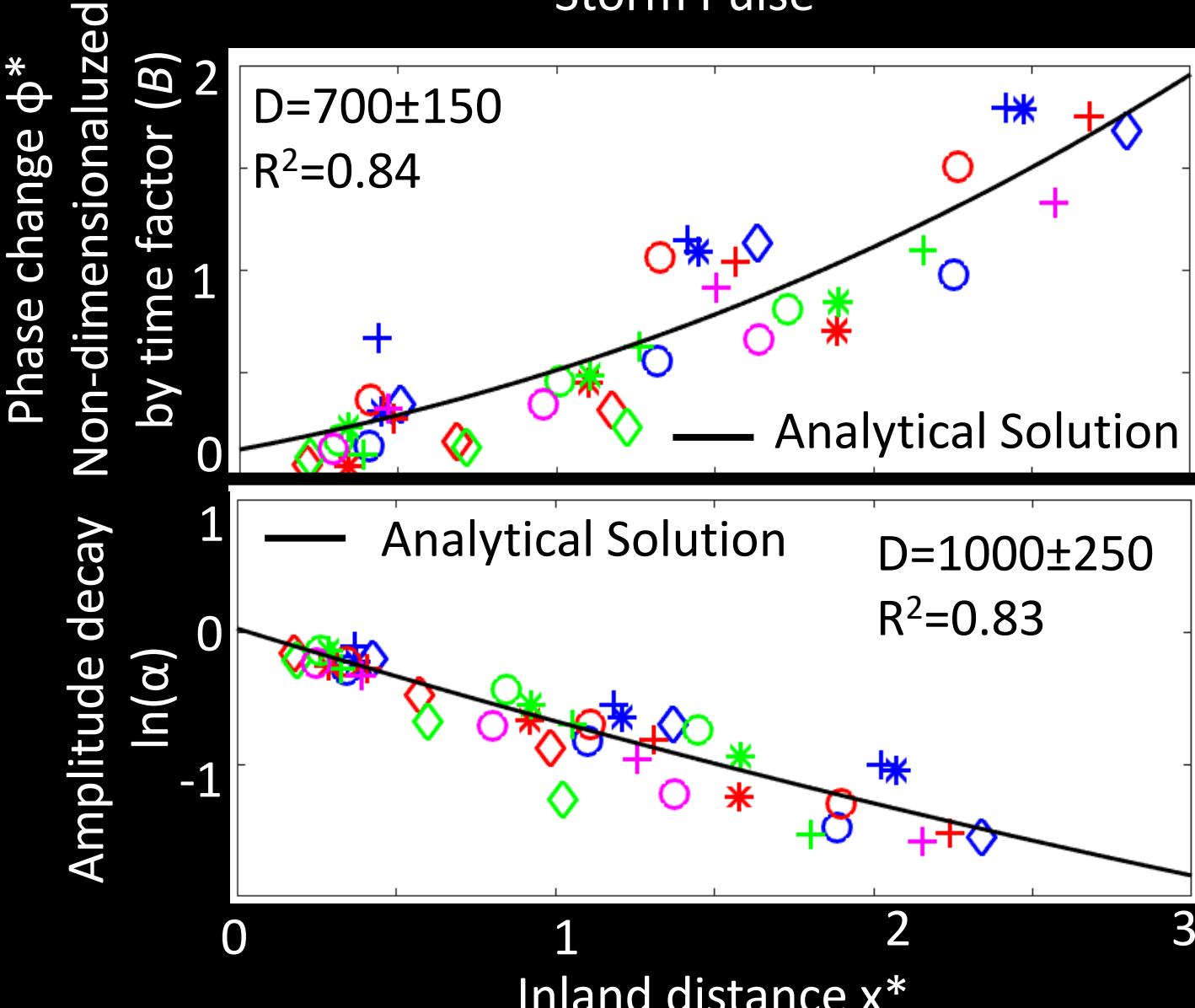
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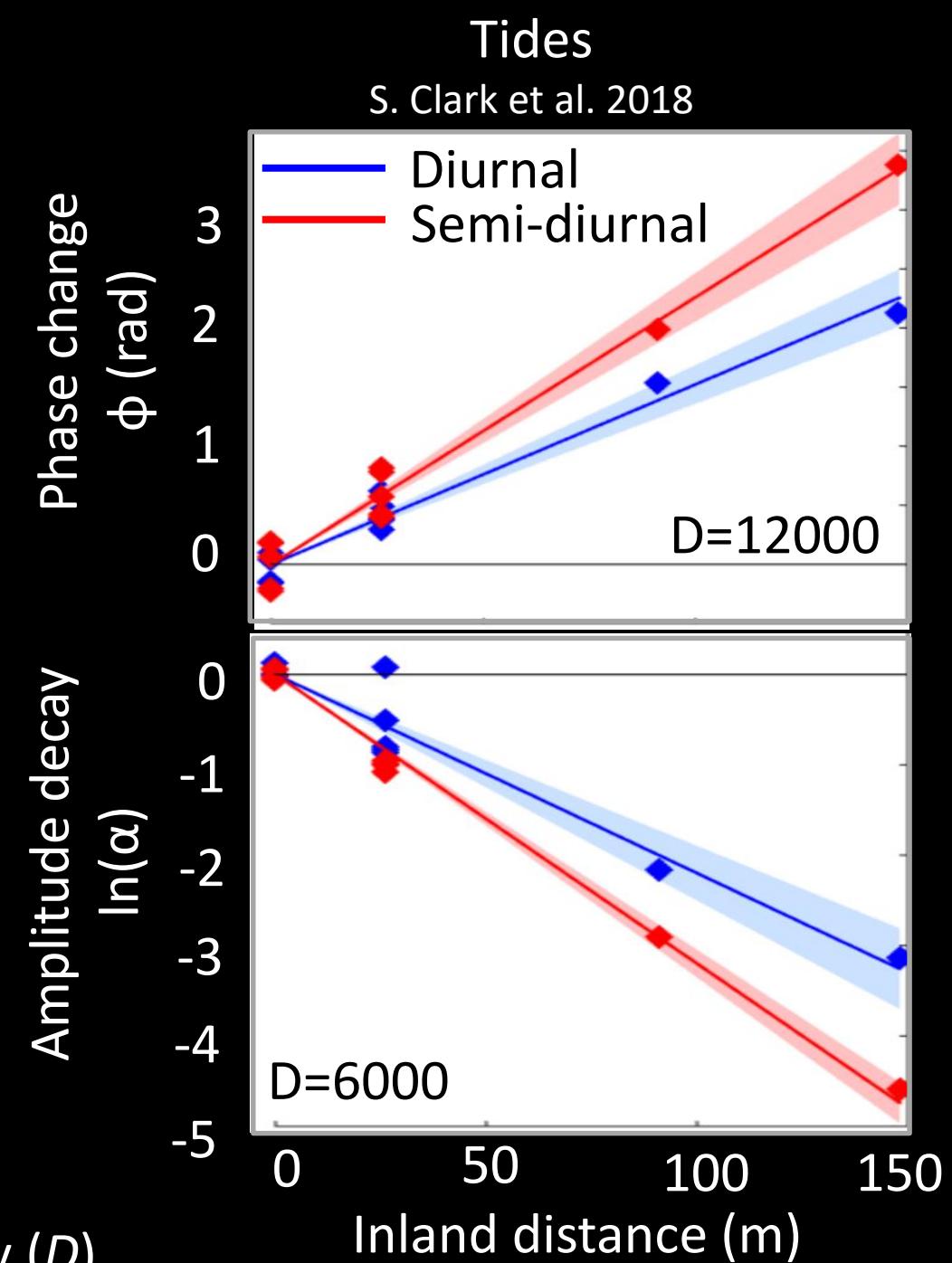
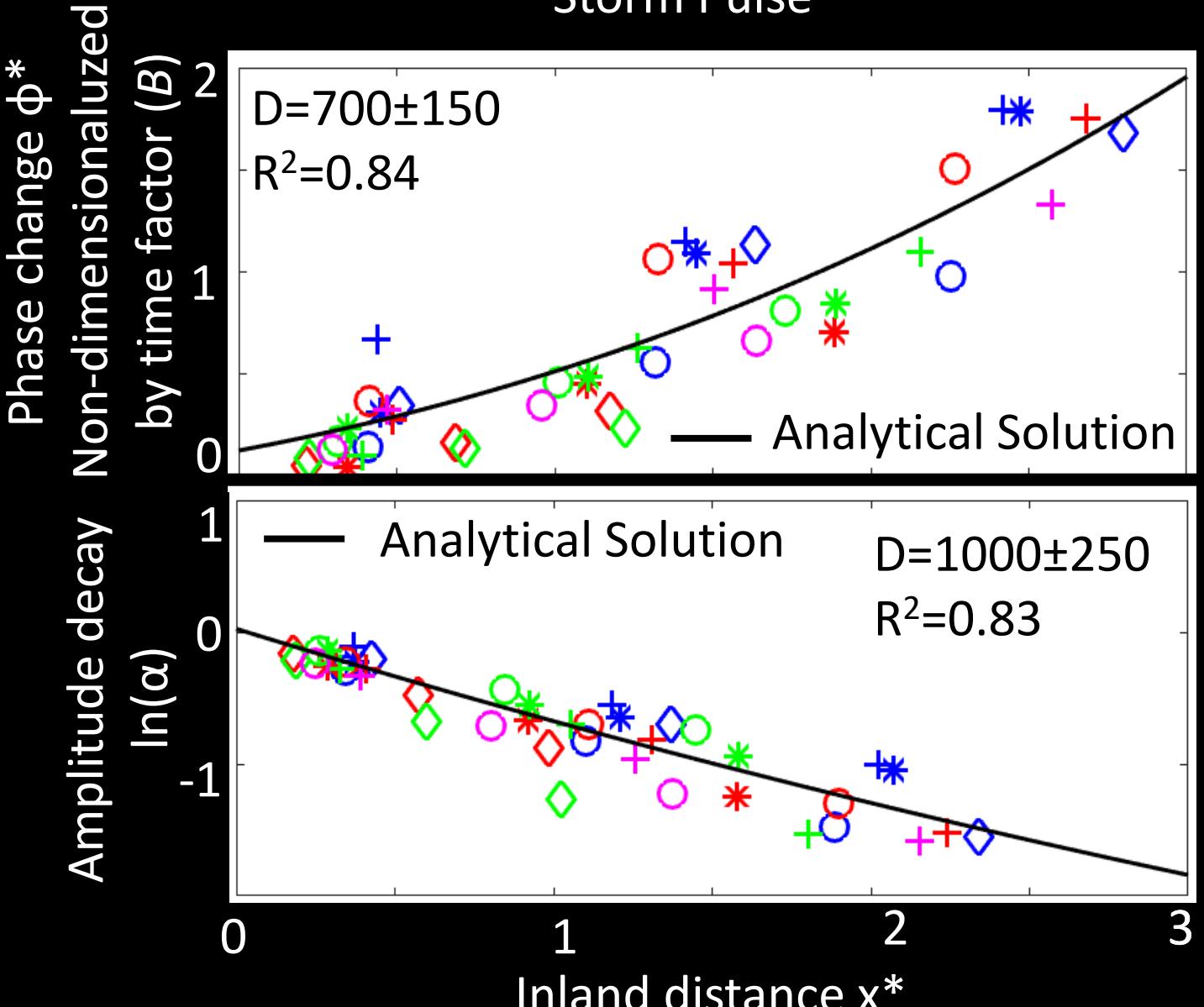
Aquifer depth
Specific yield

Applied analytical theory to 14 storm events

Storm Pulse



Non-dimensionalized by time factor (B) and diffusivity (D)



Hypotheses for difference in estimated diffusivity between tides and storm pulse

- Wavelength

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Semi-diurnal Tide

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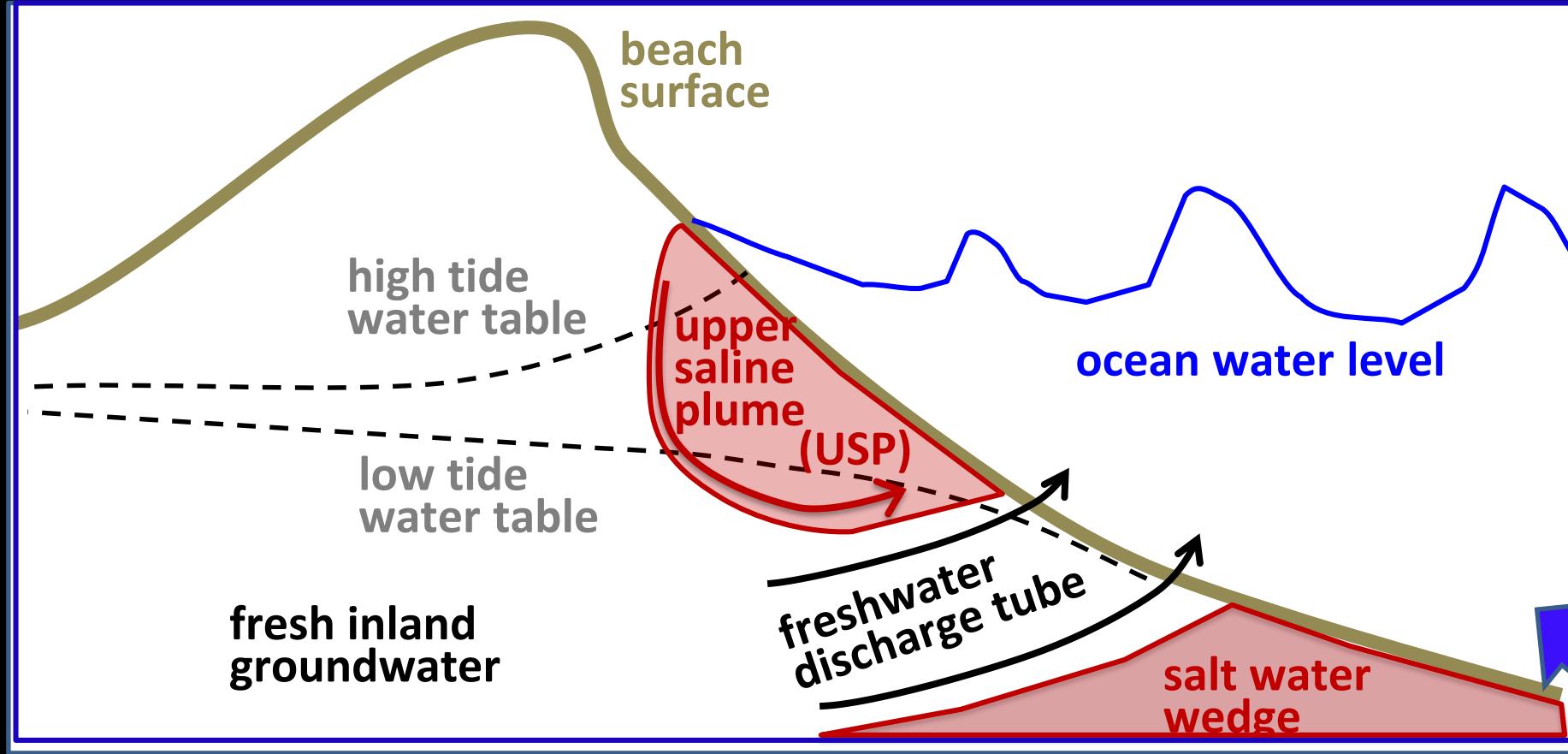
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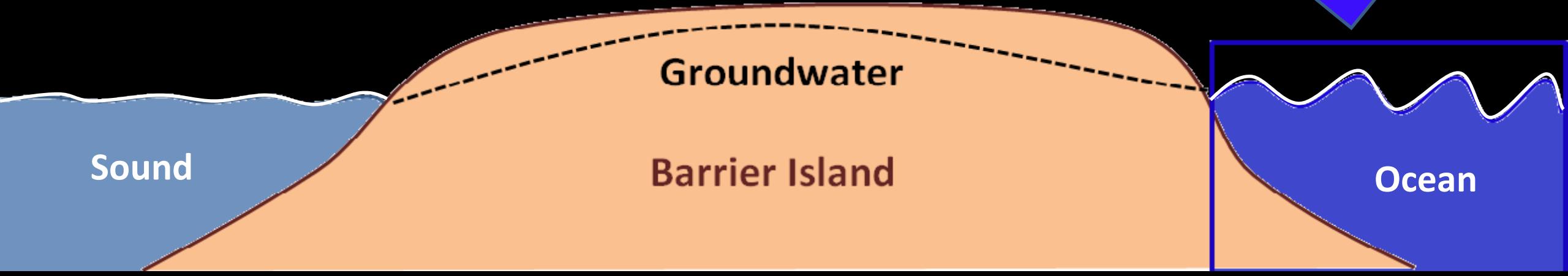
Semi-diurnal Tide

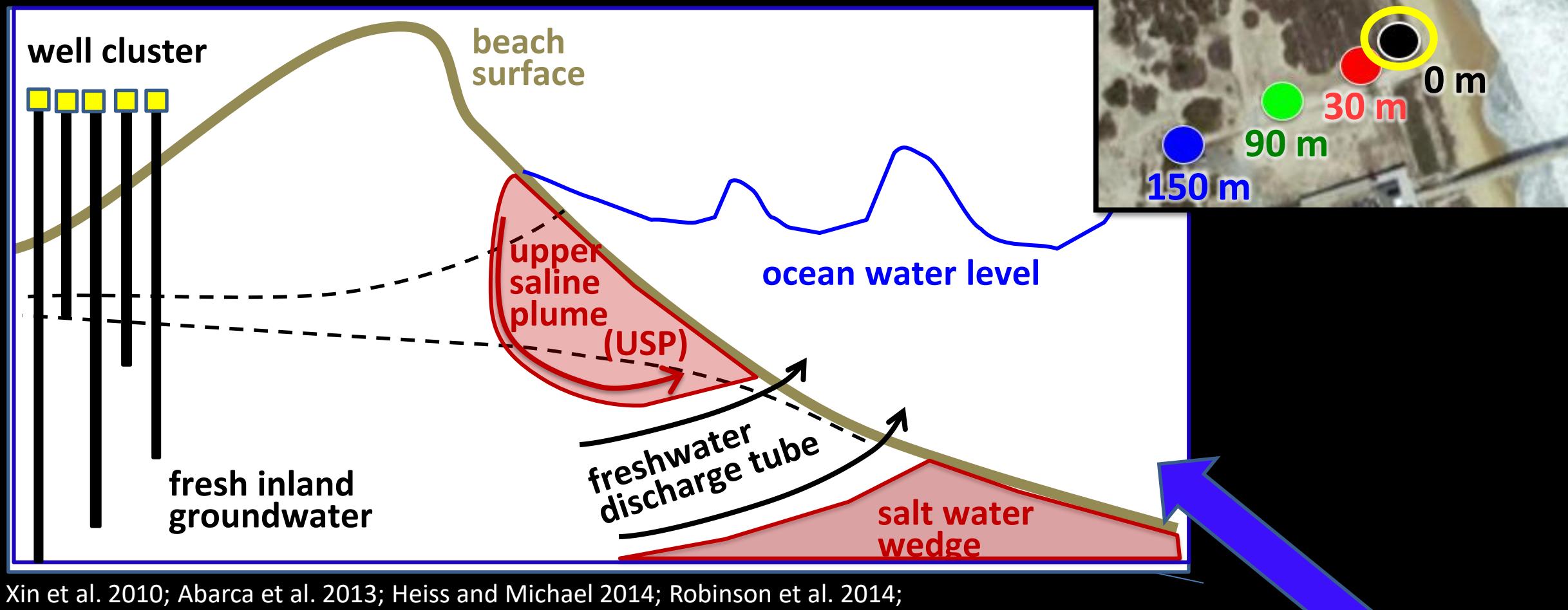
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- Inland head level  Salinity

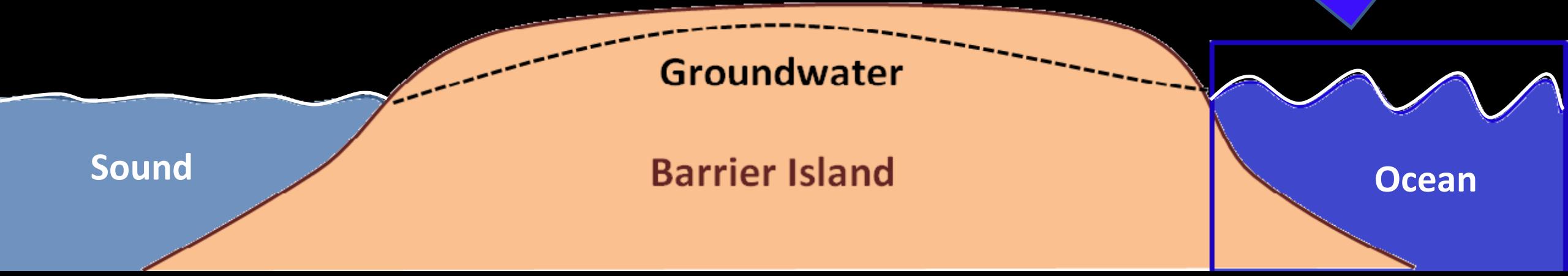


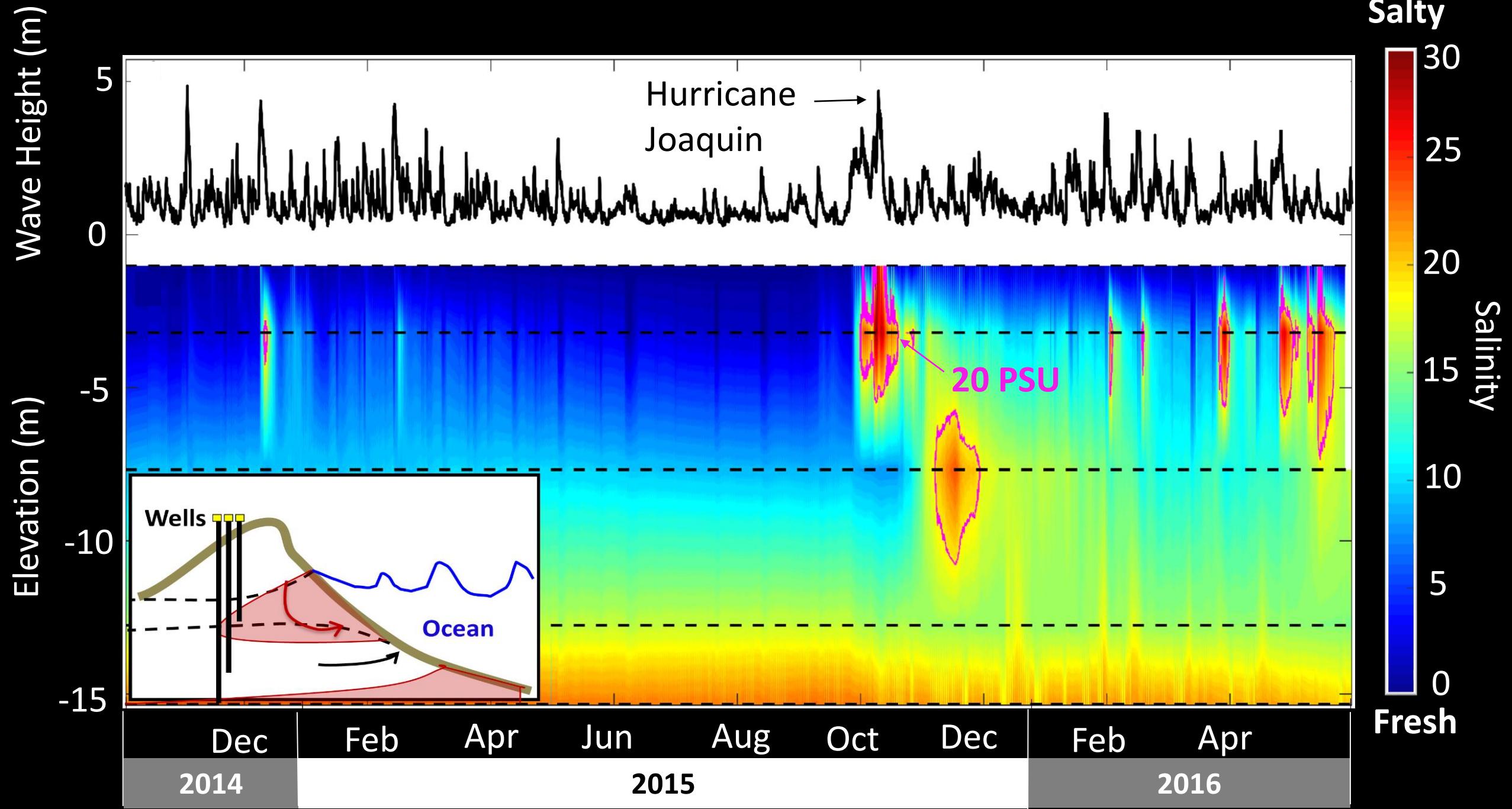
Xin et al. 2010; Abarca et al. 2013; Heiss and Michael 2014; Robinson et al. 2014;

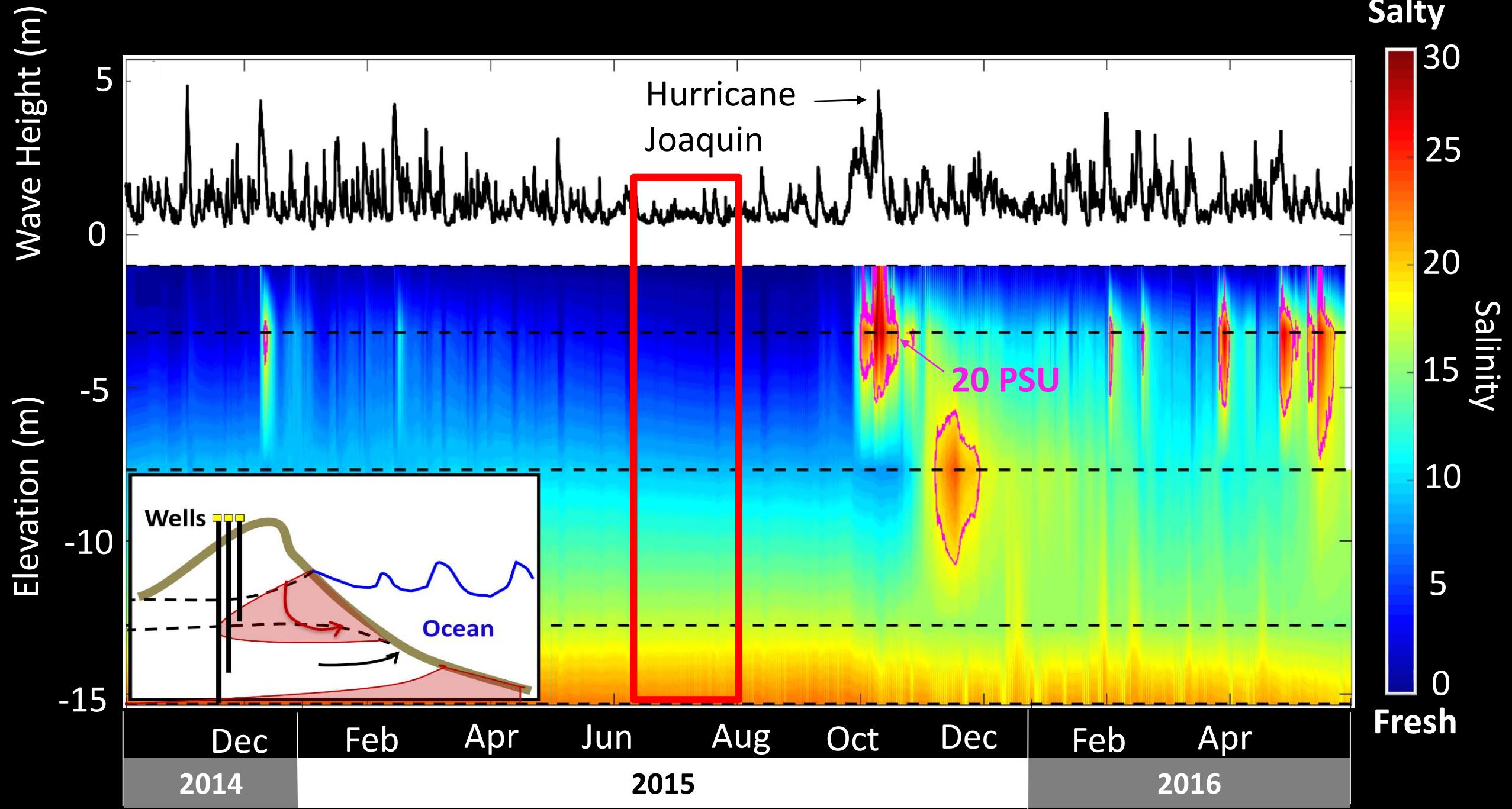


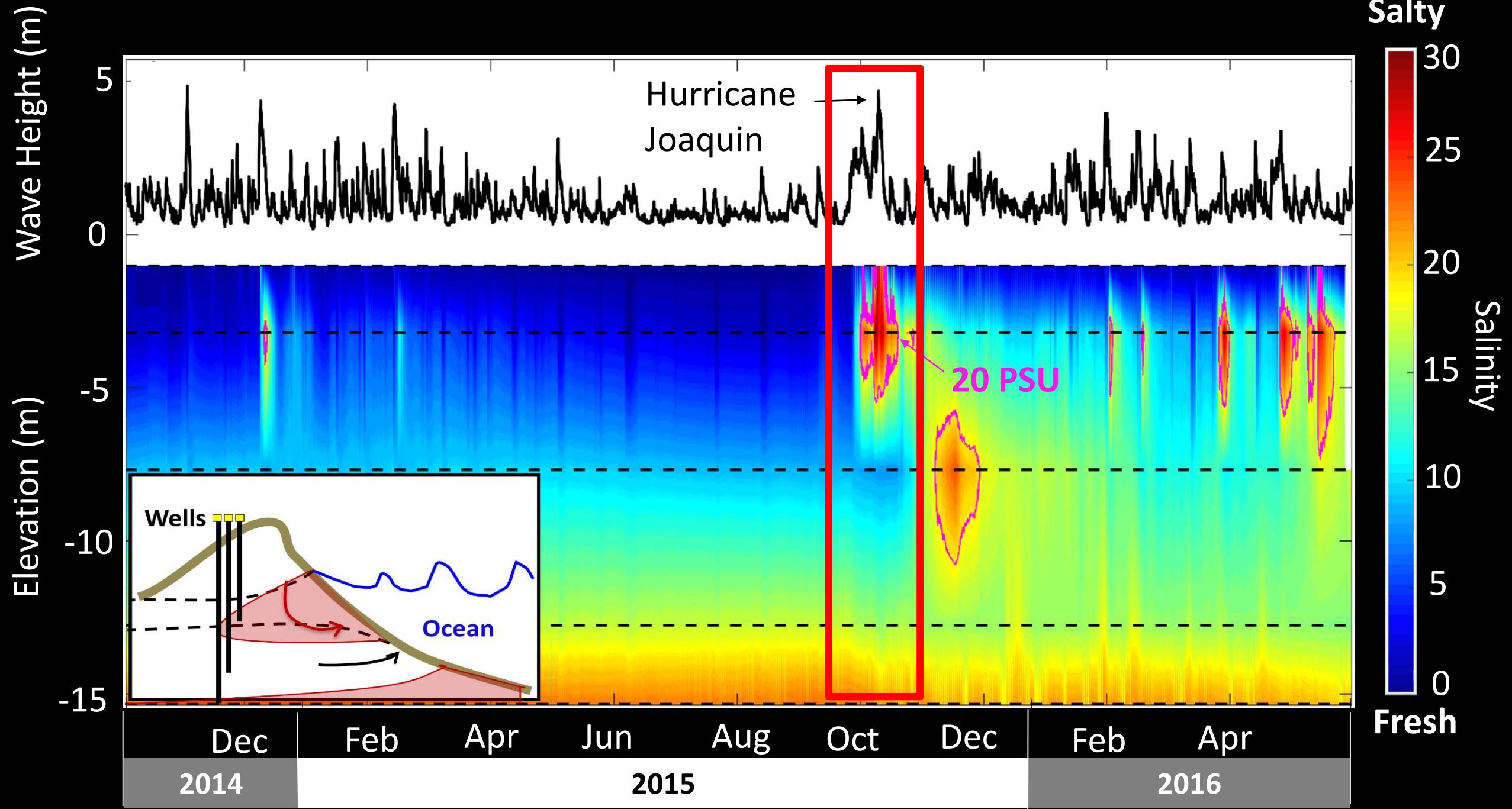


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Summary

- Storm increases in groundwater level (bulge) at dune cause inland flow.
- Time and space evolution of bulge reproduced with analytical theory.
- Diffusivity estimated for bulge smaller than that for tides??

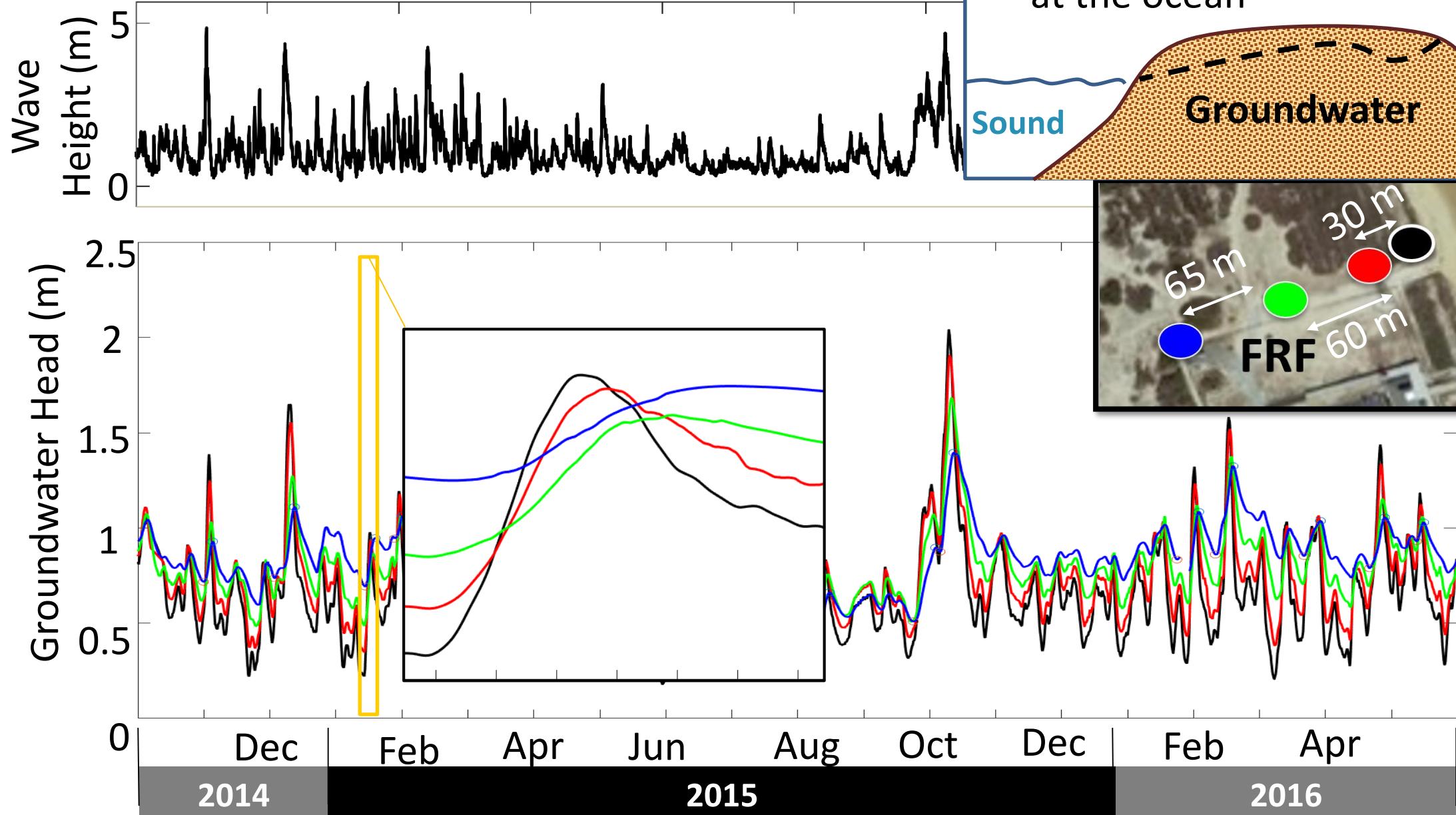
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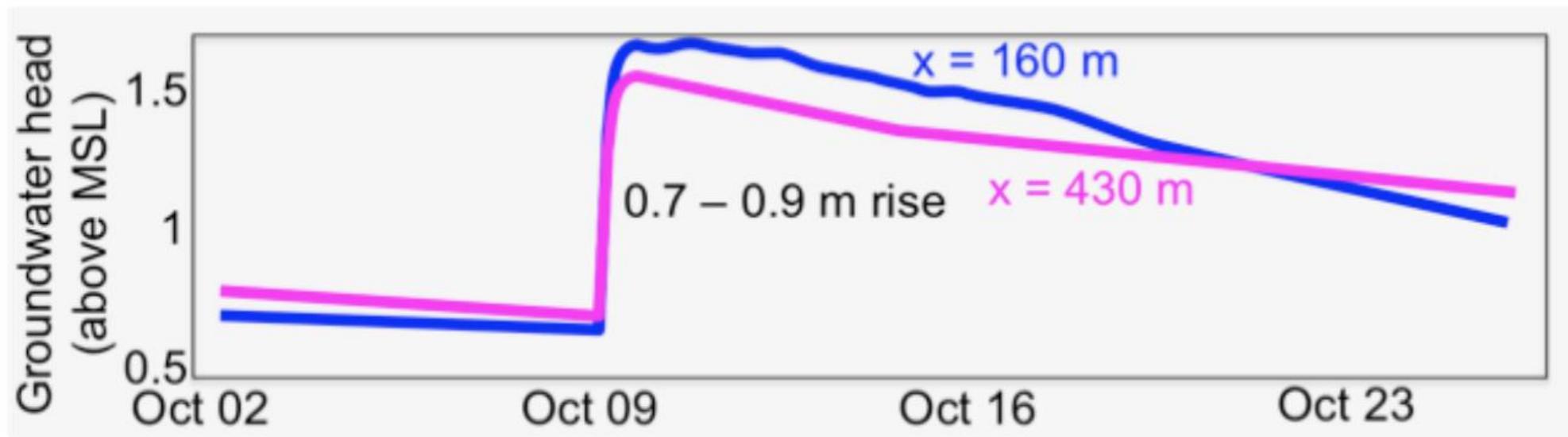
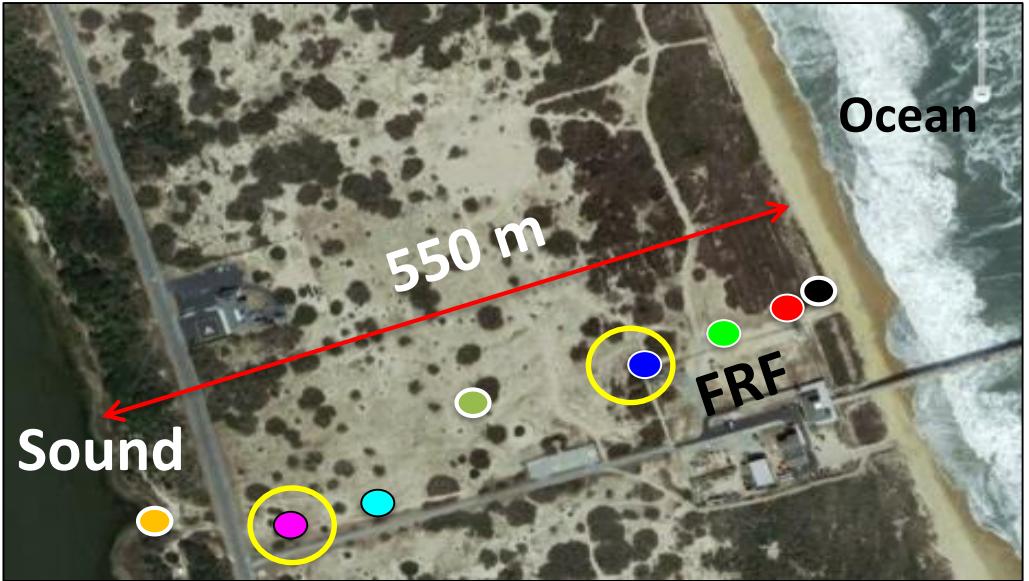
Future Work

- Determine whether salt plume under dune results from inland flow
- Determine whether plume affects bulge propagation
- Combine analytical theory with precipitation to flooding





Water table high inland and
at the ocean



$$h_0 = A \exp[-B(t - t_0)^2]$$

